

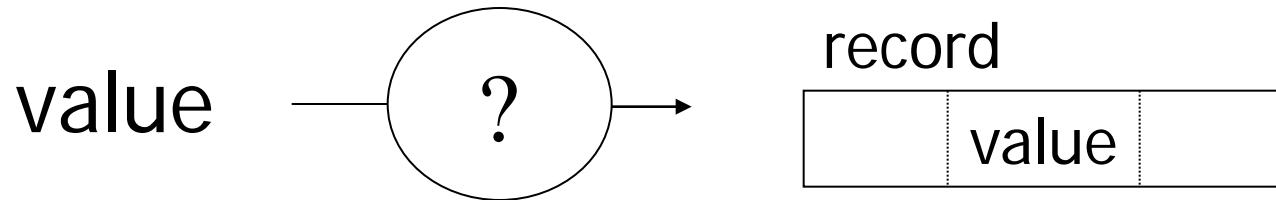


CSCD43: Database Systems Technology

Lecture 6

Wael Aboulsaadat

Acknowledgment: these slides are based on Prof. Garcia-Molina & Prof. Ullman slides accompanying the course's textbook.





Topics

- Conventional Indexes
- B-trees
- Hashing Schemes
- Bitmap Indexes



Sequential File

10	
20	

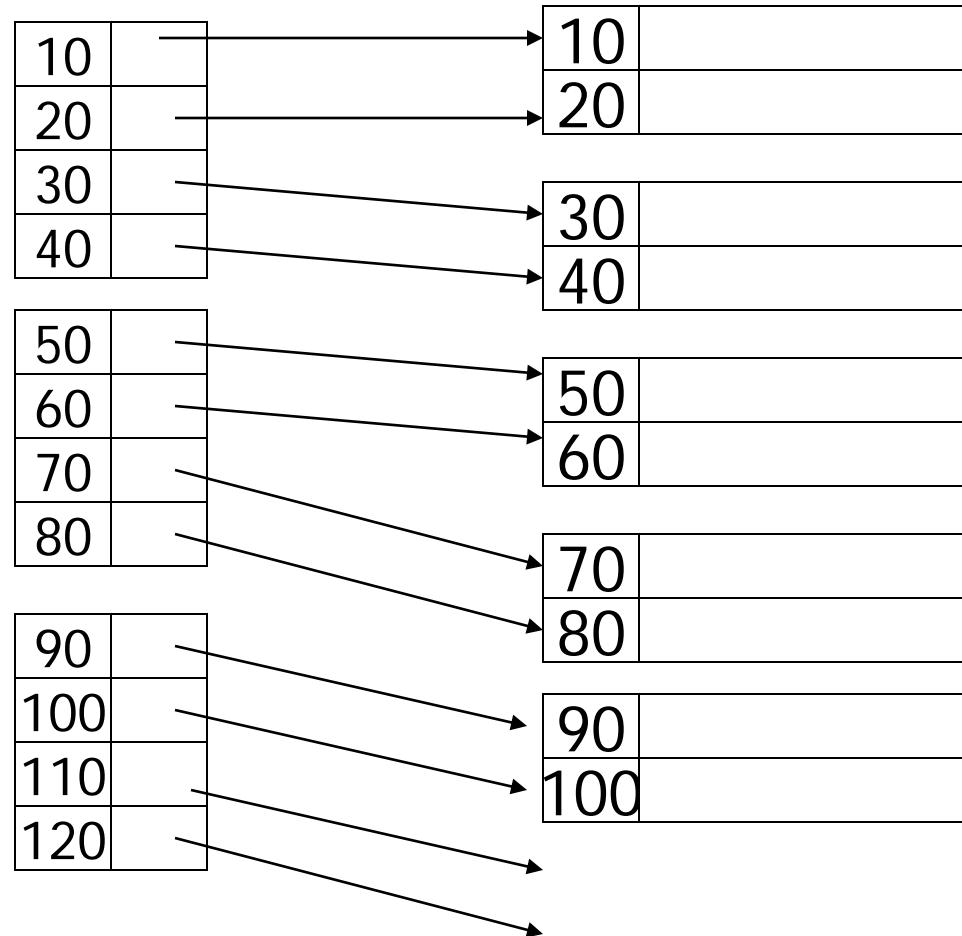
30	
40	

50	
60	

70	
80	

90	
100	

Dense Index



Sequential File

Sparse Index

10	—
30	—
50	—
70	—

90	—
110	—
130	—
150	—

170	—
190	—
210	—
230	—

Sequential File

10	—
20	—

30	—
40	—

50	—
60	—

70	—
80	—

90	—
100	—

Sparse 2nd level

10	-
90	-
170	-
250	-

330	-
410	-
490	-
570	-

10	-
30	-
50	-
70	-

90	-
110	-
130	-
150	-

170	-
190	-
210	-
230	-

Sequential File

10	-
20	-

30	-
40	-

50	-
60	-

70	-
80	-

90	-
100	-



- Comment:
 {FILE, INDEX} may be contiguous
 or not (blocks chained)



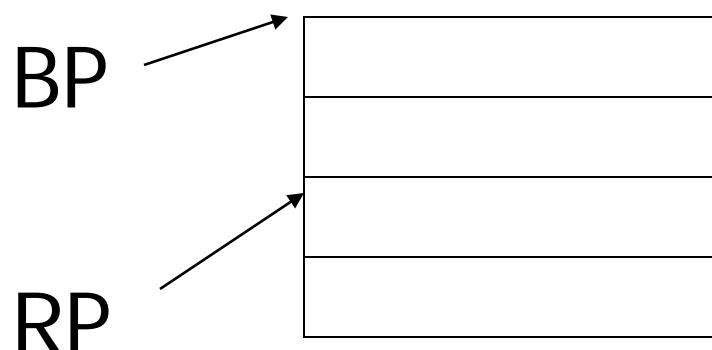
Question:

- Can we build a dense, 2nd level index for a dense index?



Notes on pointers:

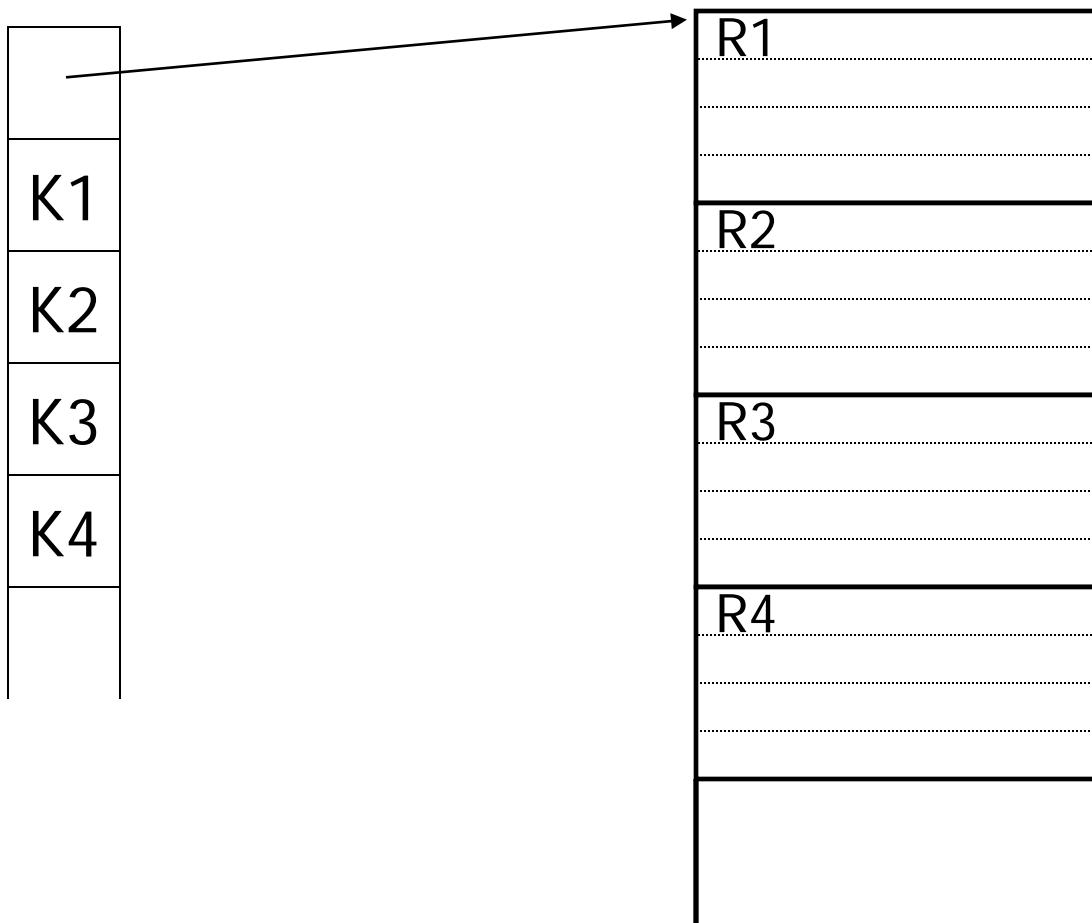
(1) Block pointer (sparse index) can be smaller than record pointer

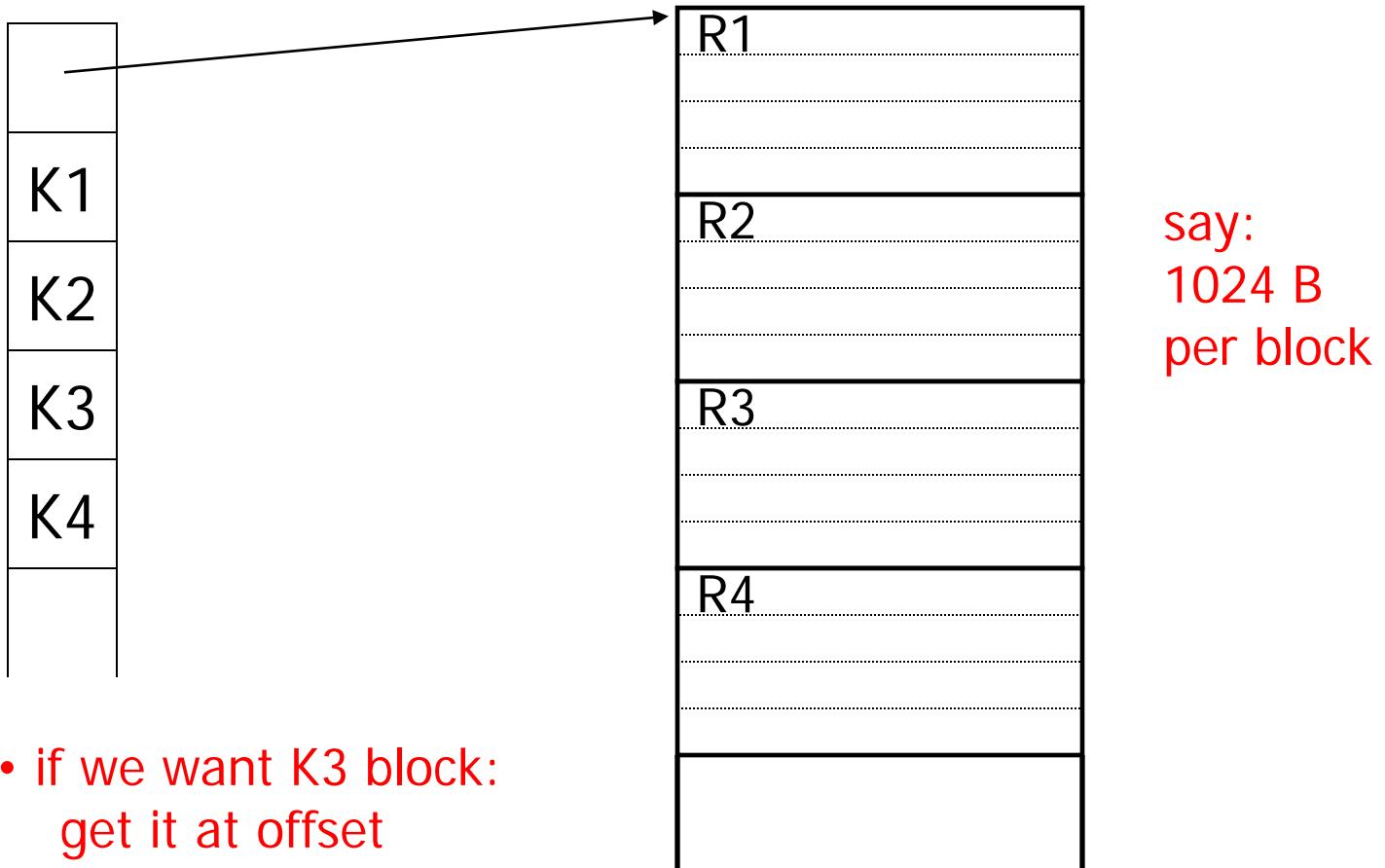




Notes on pointers:

- (2) If file is contiguous, then we can omit pointers (i.e., compute them)







Sparse vs. Dense Tradeoff

- Sparse: Less index space per record
can keep more of index in memory
- Dense: Can tell if any record exists
without accessing file

(Later:

- sparse better for insertions
- dense needed for secondary indexes)



Terms

- Index sequential file
- Search key (\neq primary key)
- Primary index (on Sequencing field)
- Secondary index
- Dense index (all Search Key values in)
- Sparse index
- Multi-level index



Next:

- Duplicate keys
- Deletion/Insertion
- Secondary indexes



Duplicate keys

10	
10	

10	
20	

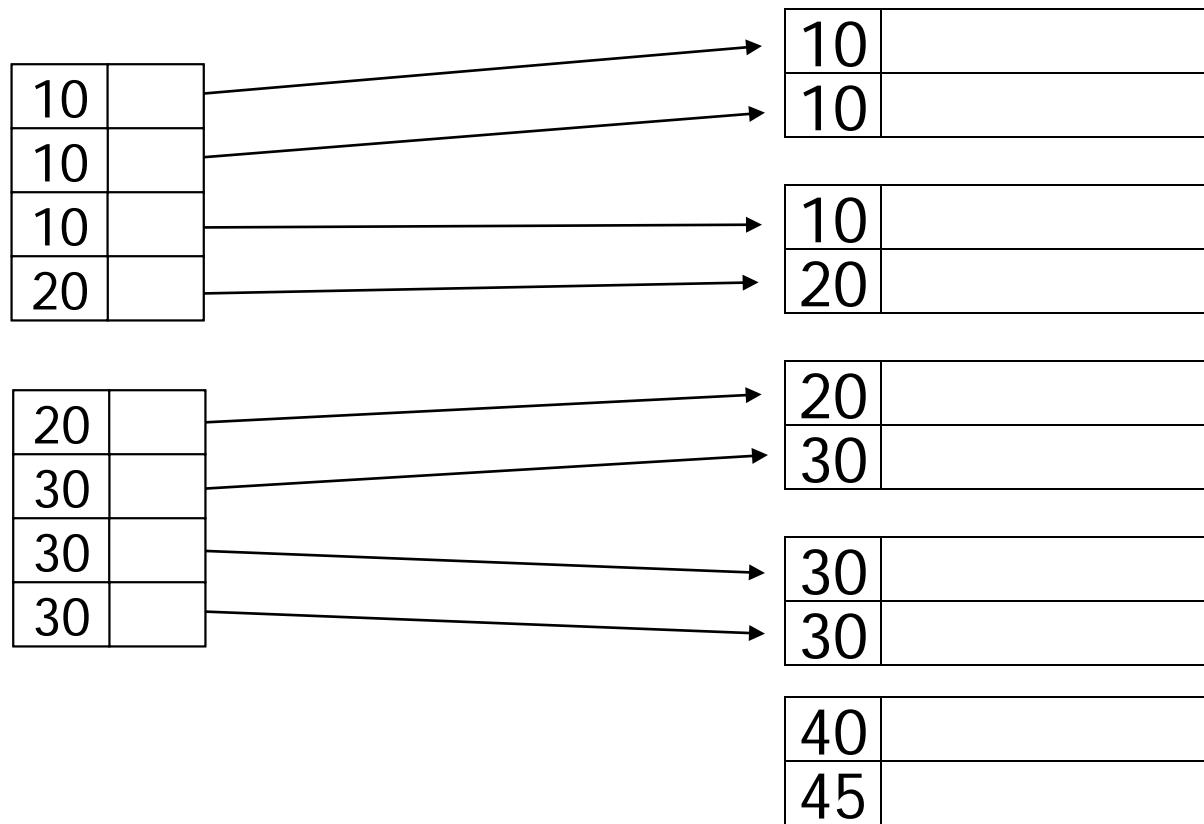
20	
30	

30	
30	

40	
45	

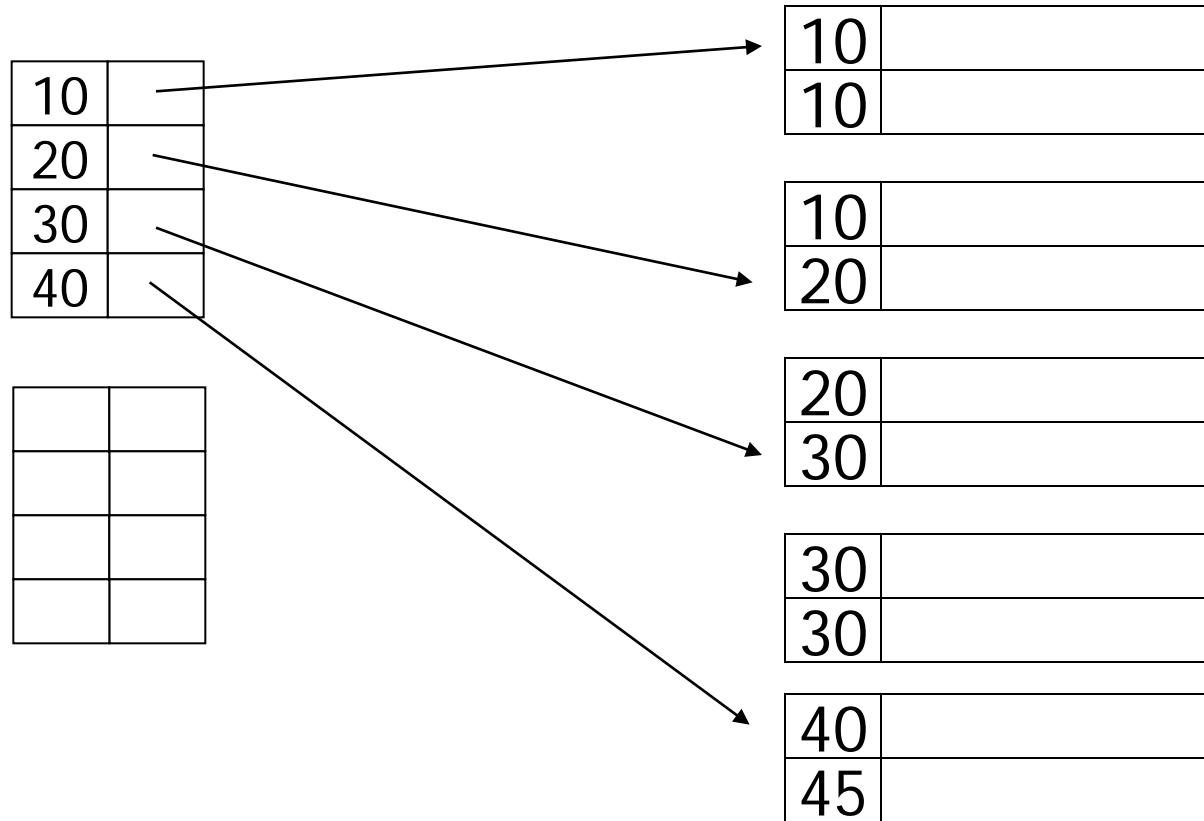
Duplicate keys

Dense index, one way to implement?



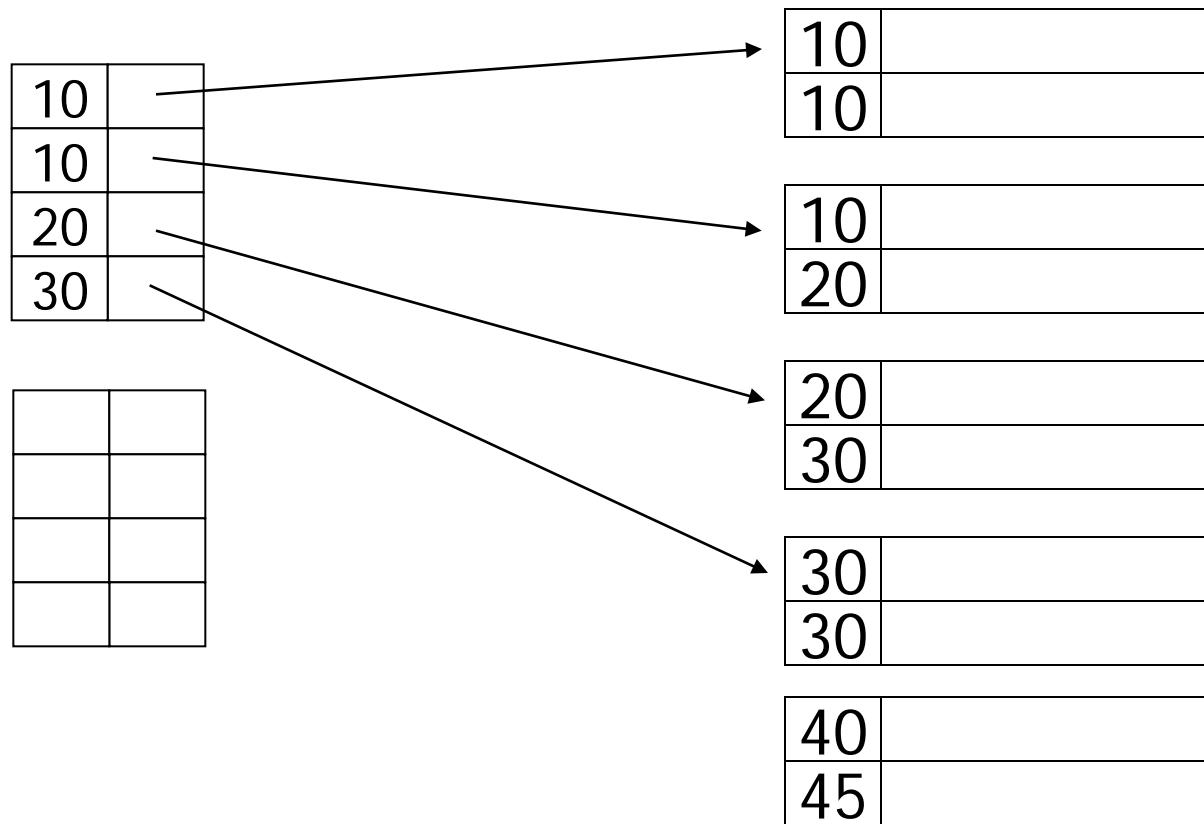
Duplicate keys

Dense index, better way?



Duplicate keys

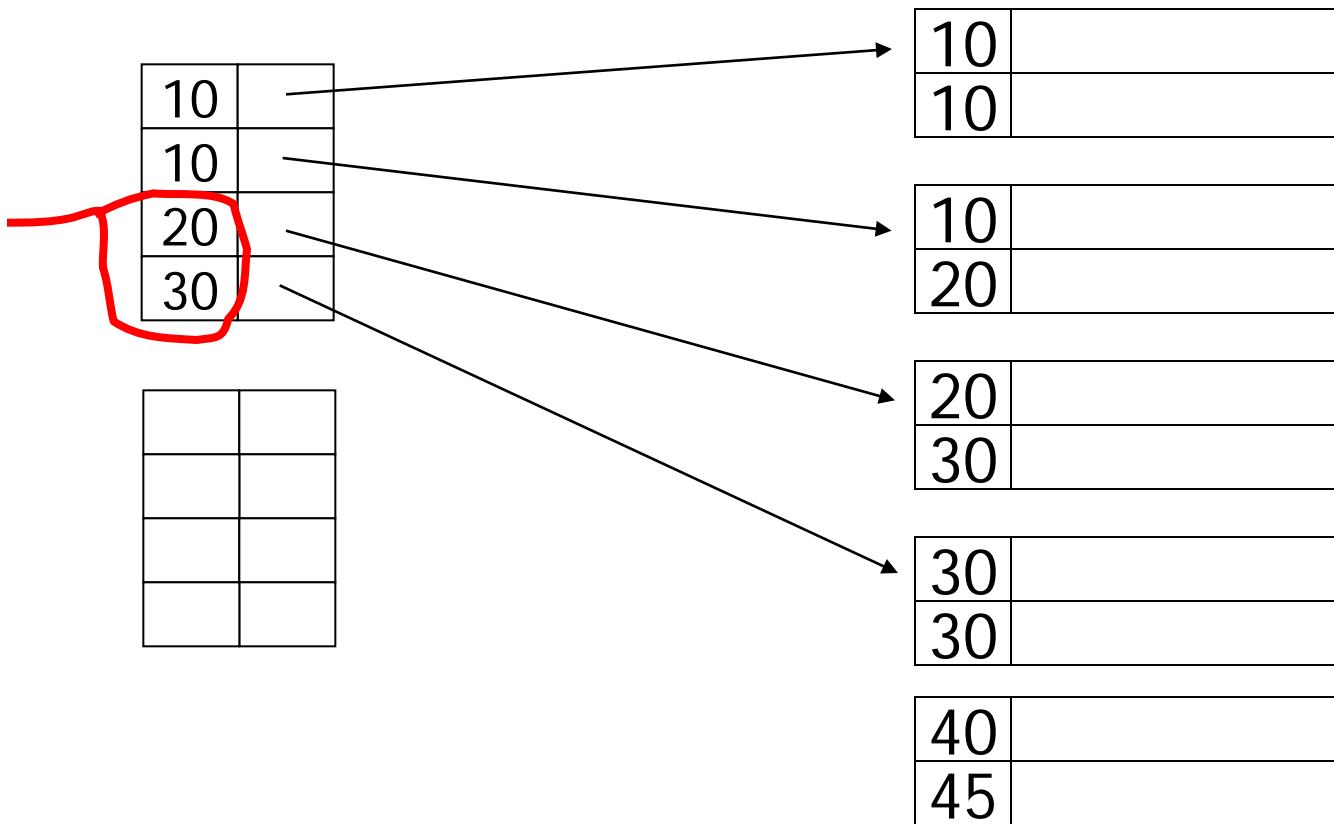
Sparse index, one way?



Duplicate keys

Sparse index, one way?

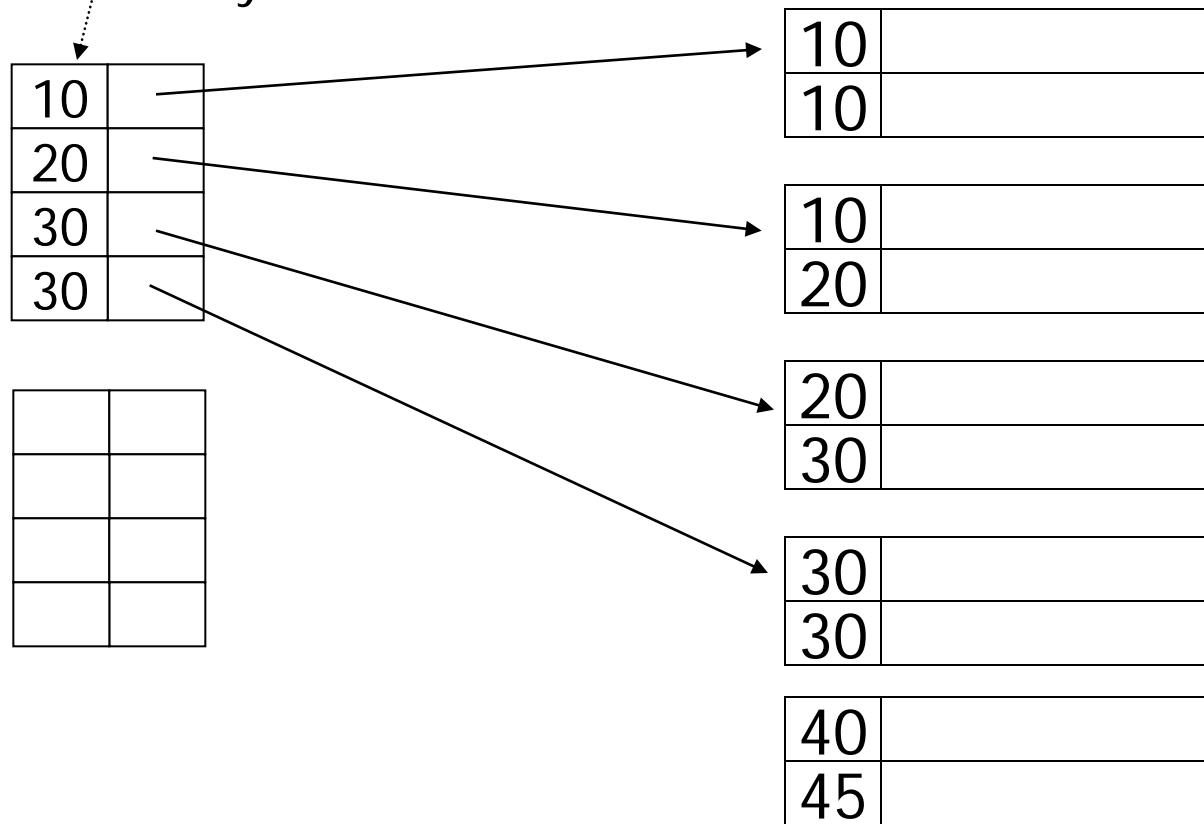
careful if looking
for 20 or 30!



Duplicate keys

Sparse index, another way?

- place first new key from block



Duplicate keys

Sparse index, another way?

- place first new key from block

should
this be
40? — 

10	
20	
30	
30	

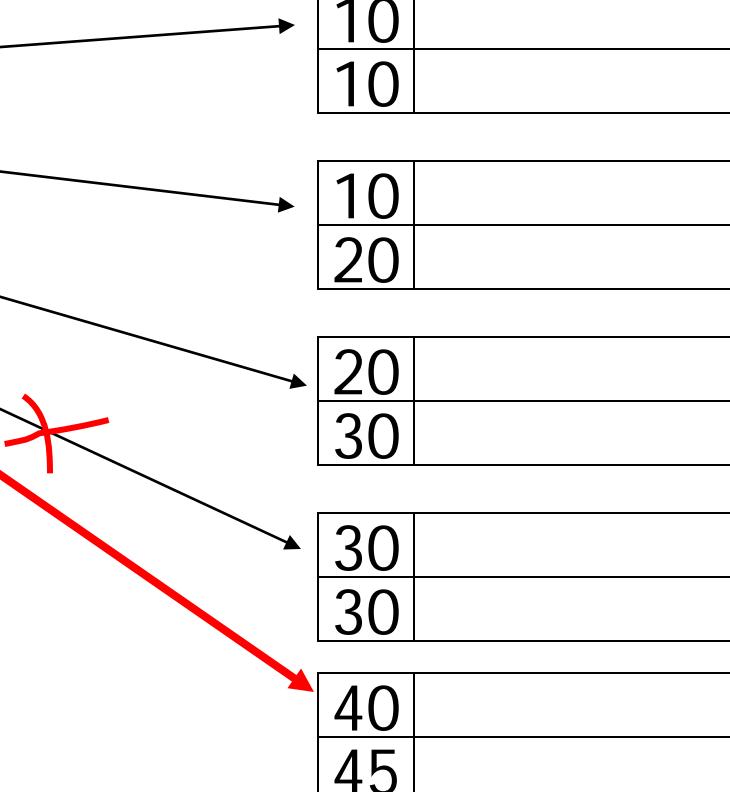
10	
10	

10	
20	

20	
30	

30	
30	

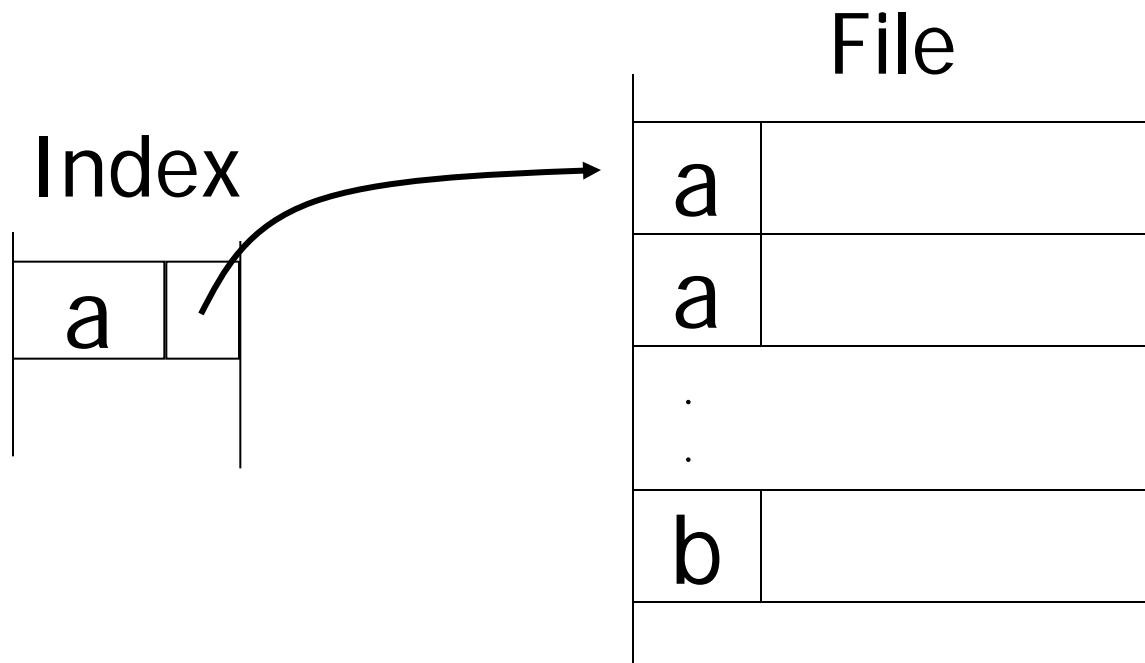
40	
45	



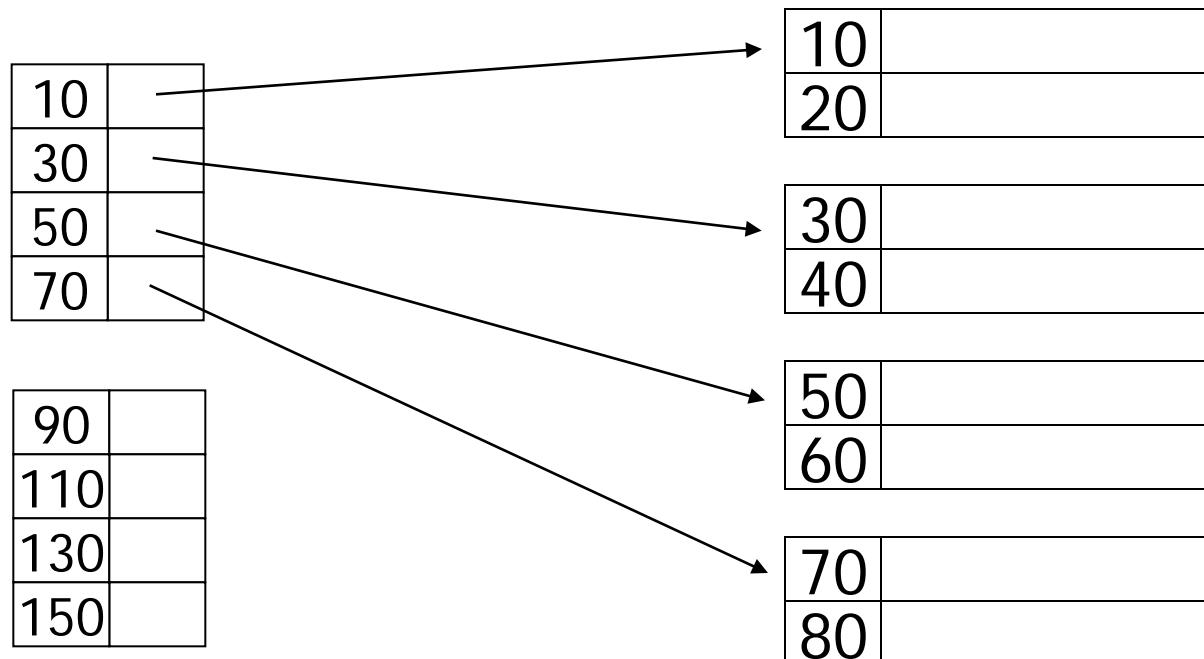
Summary

Duplicate values, primary index

- Index may point to first instance of each value only

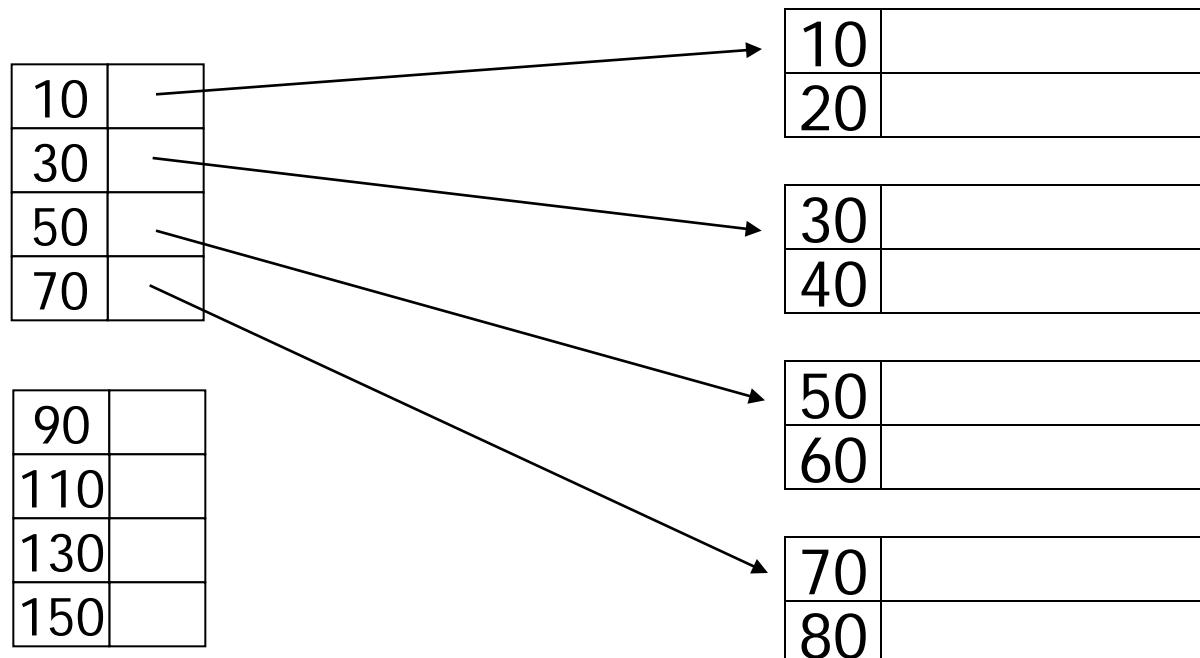


Deletion from sparse index



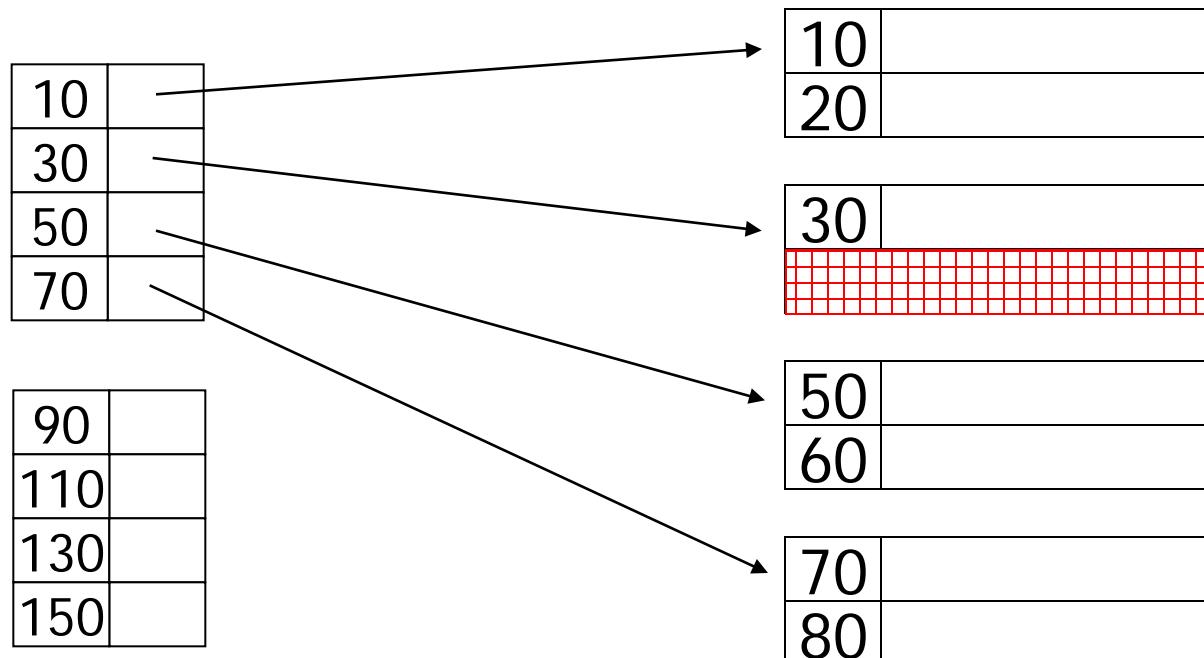
Deletion from sparse index

– delete record 40



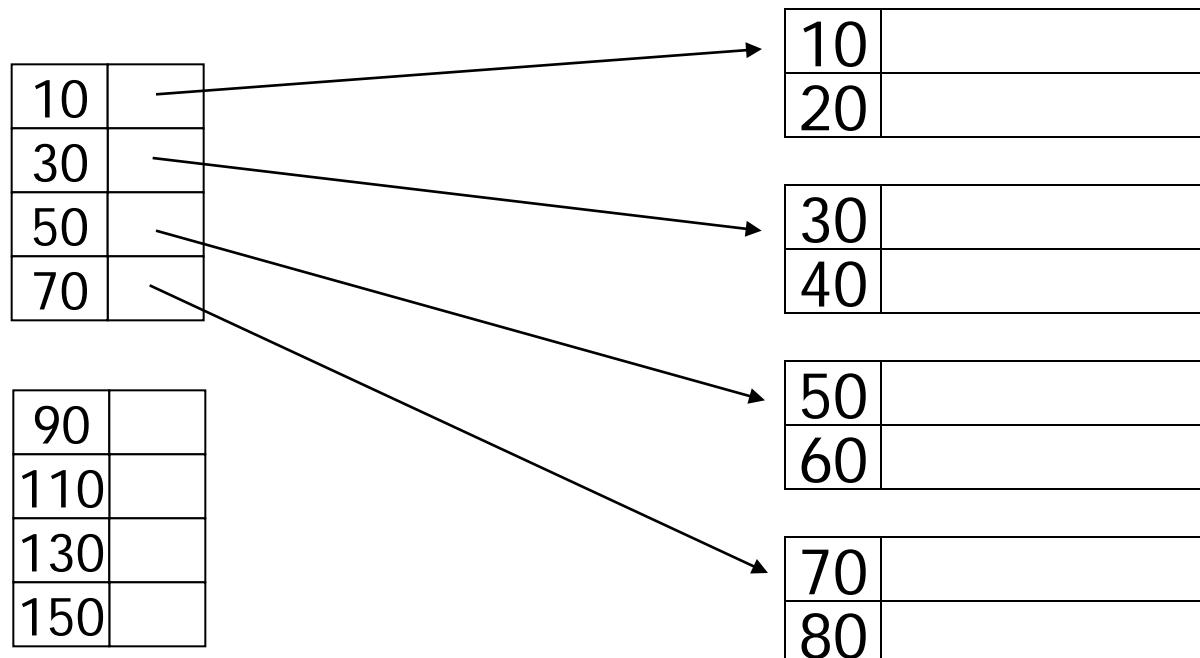
Deletion from sparse index

– delete record 40



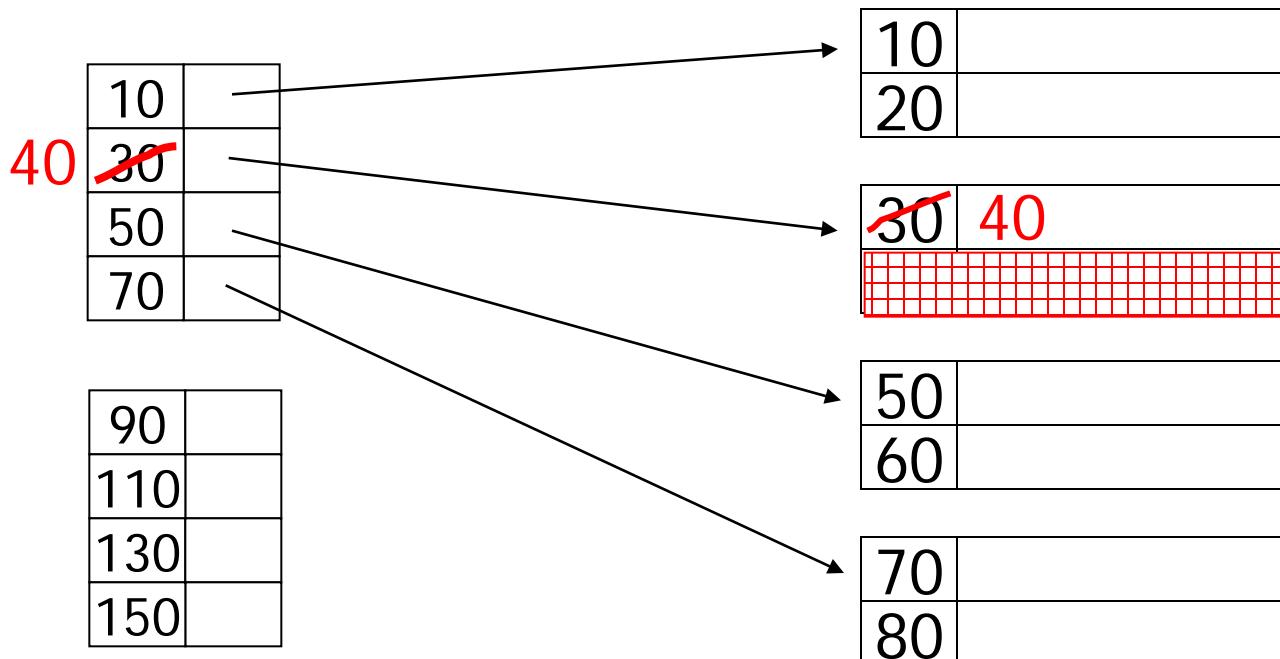
Deletion from sparse index

– delete record 30



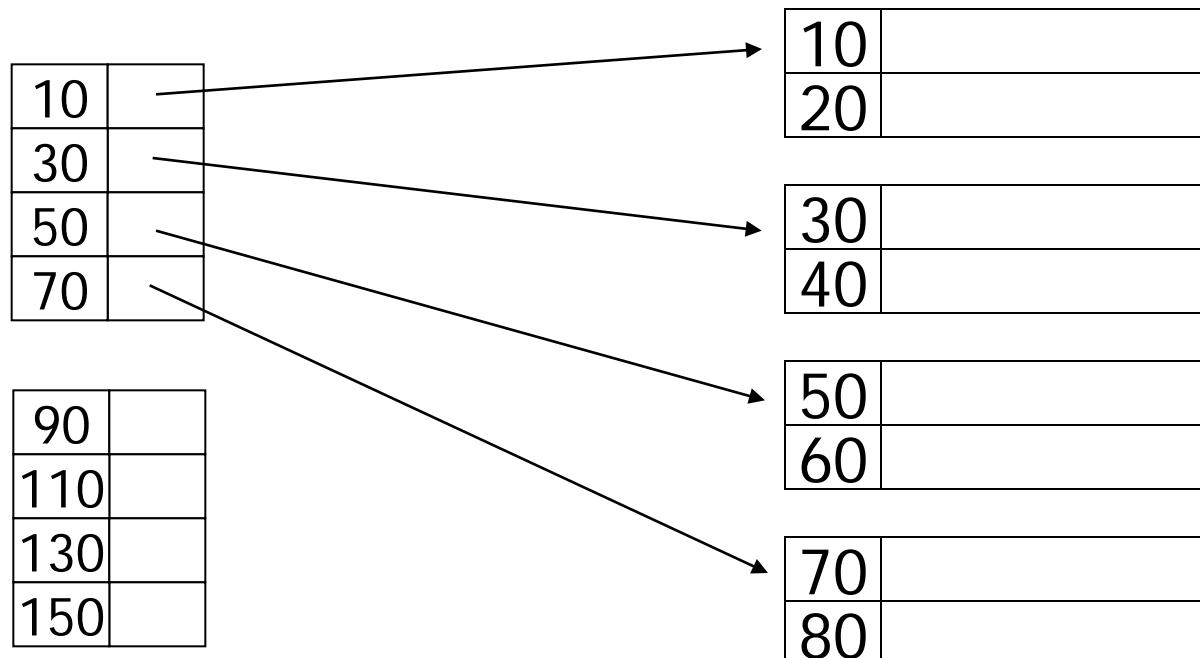
Deletion from sparse index

– delete record 30



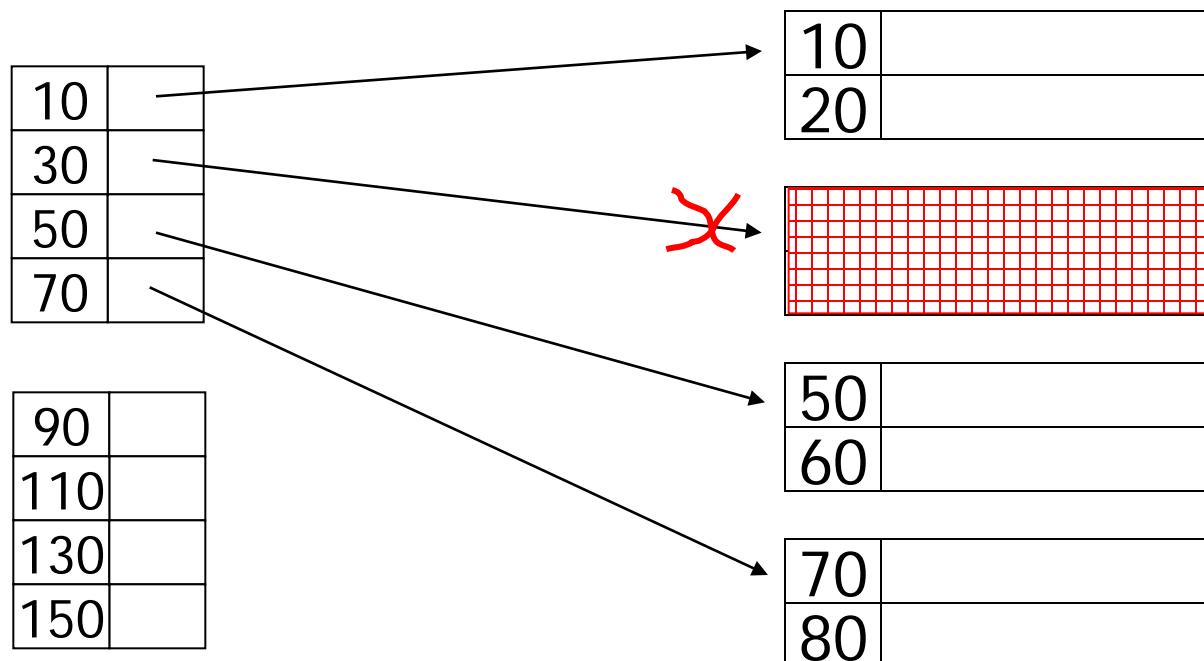
Deletion from sparse index

– delete records 30 & 40



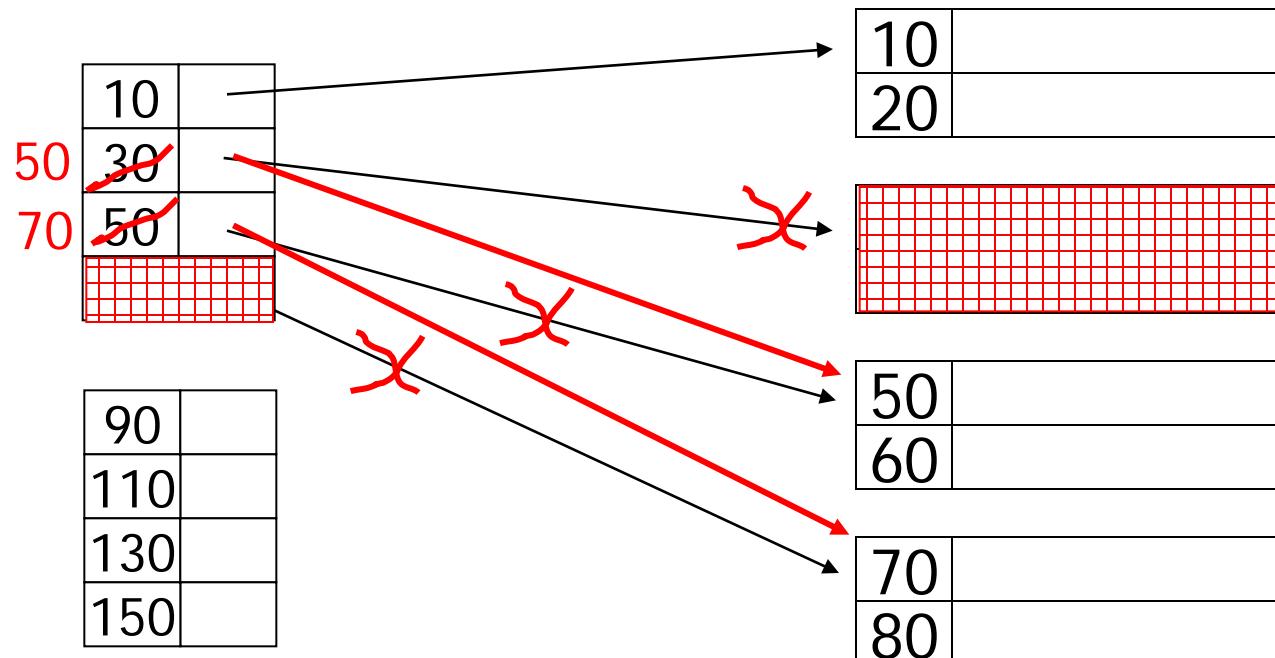
Deletion from sparse index

– delete records 30 & 40

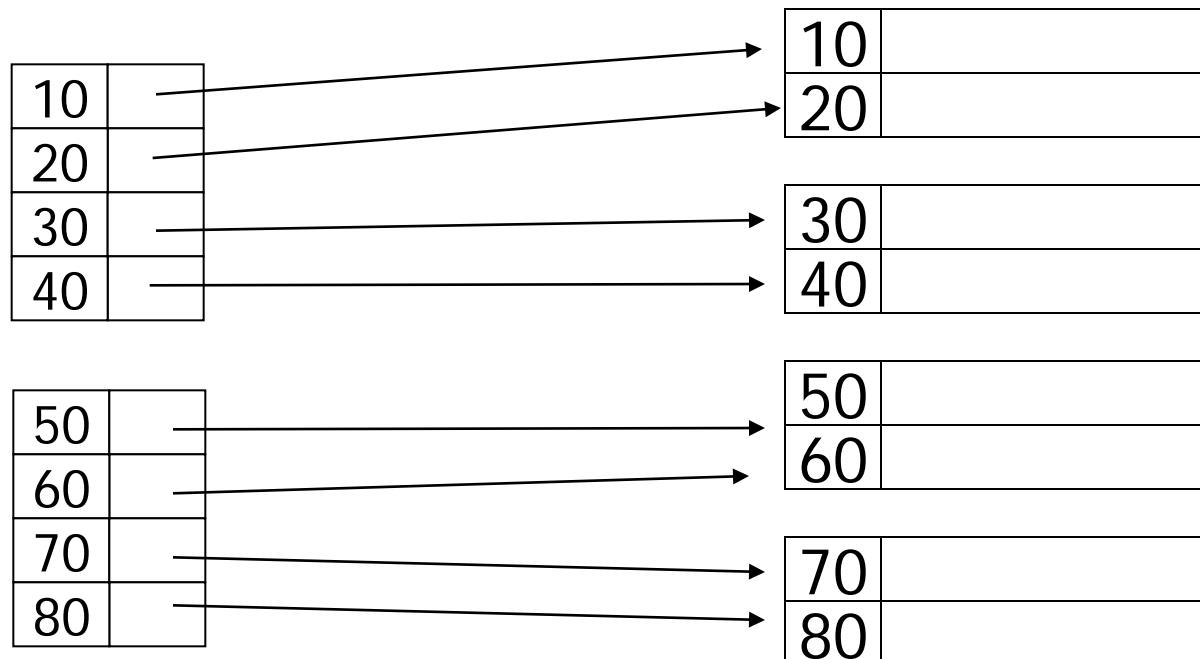


Deletion from sparse index

– delete records 30 & 40

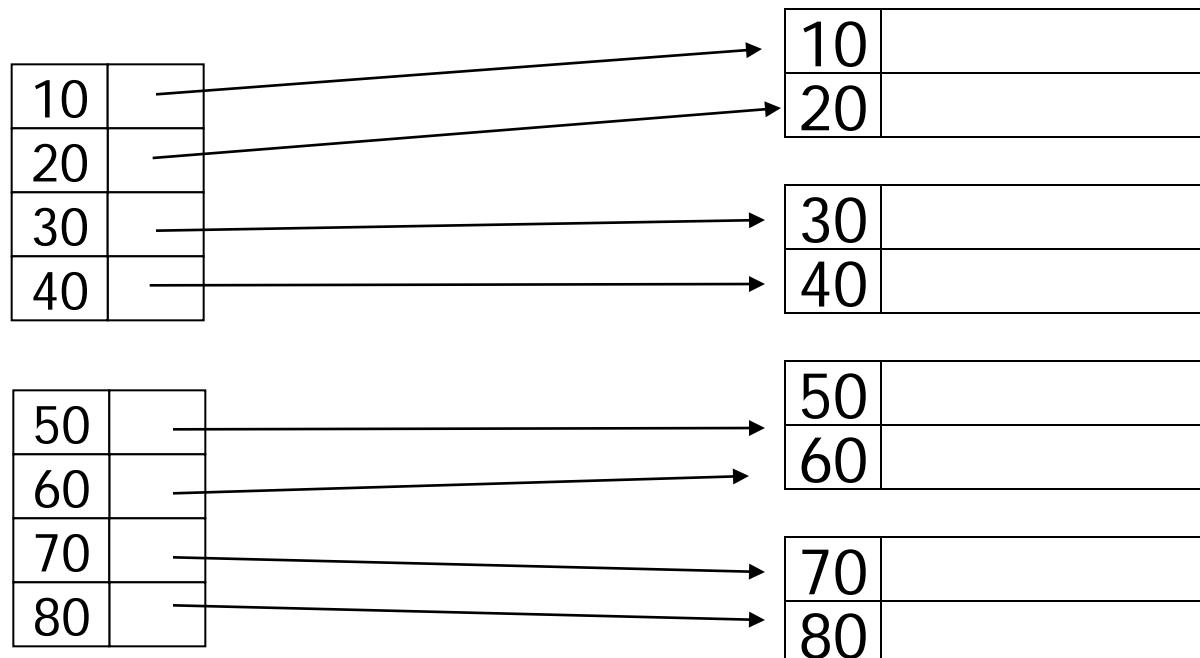


Deletion from dense index



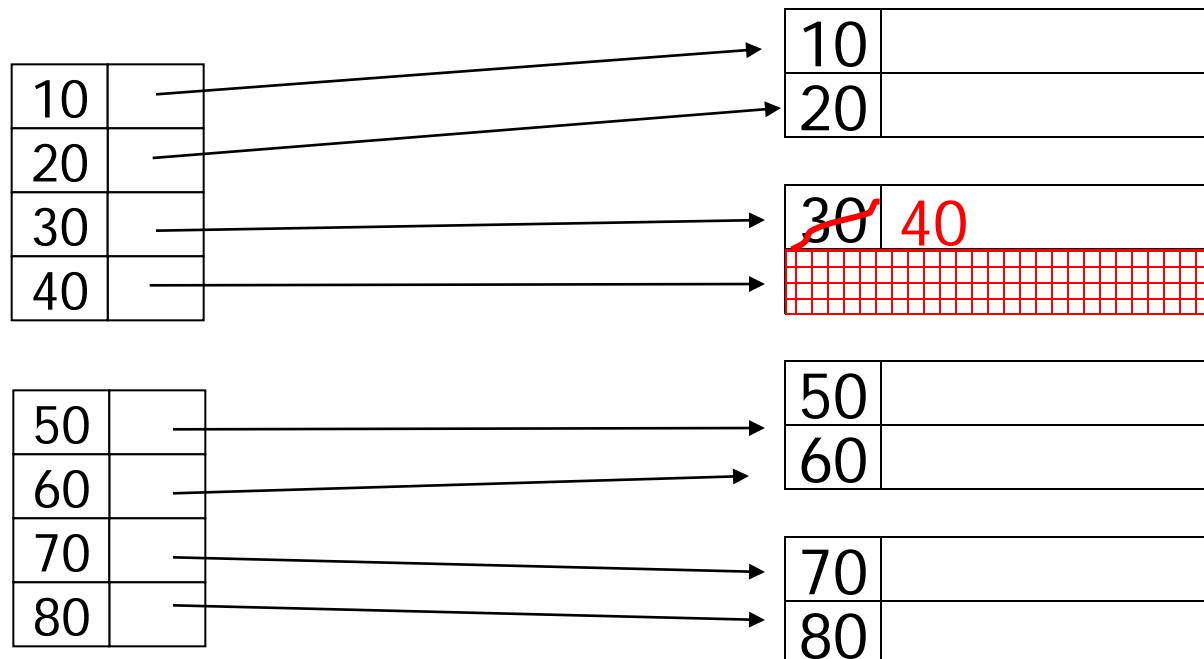
Deletion from dense index

– delete record 30



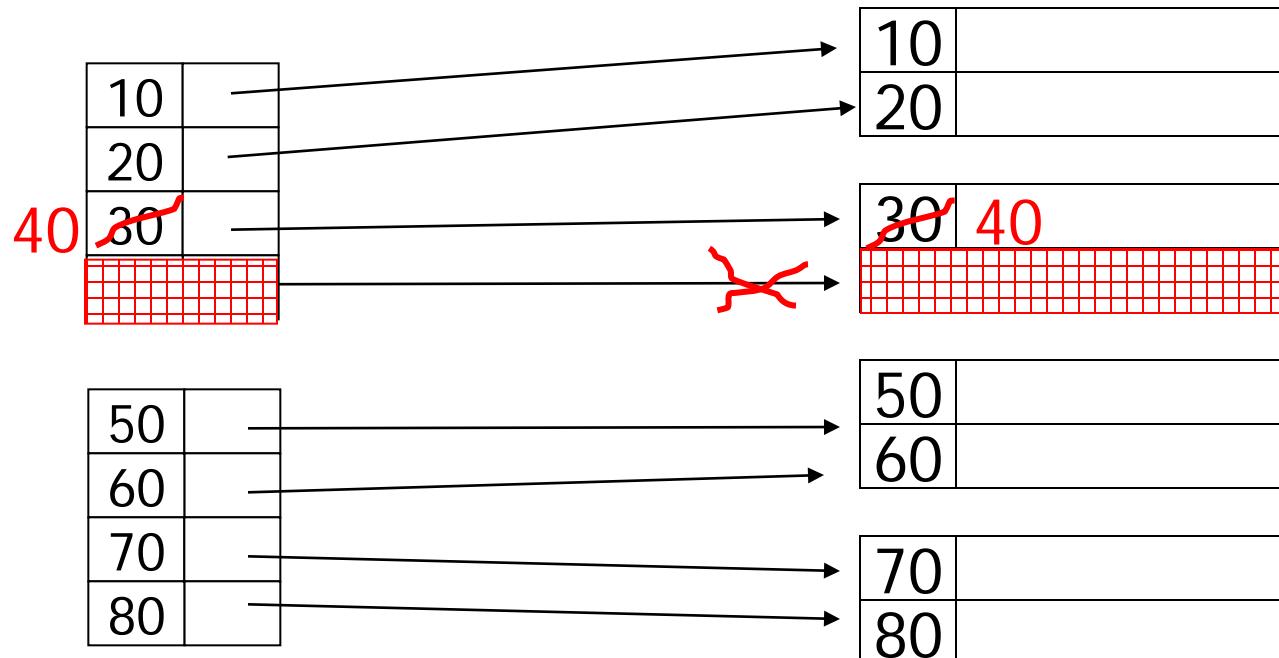
Deletion from dense index

– delete record 30

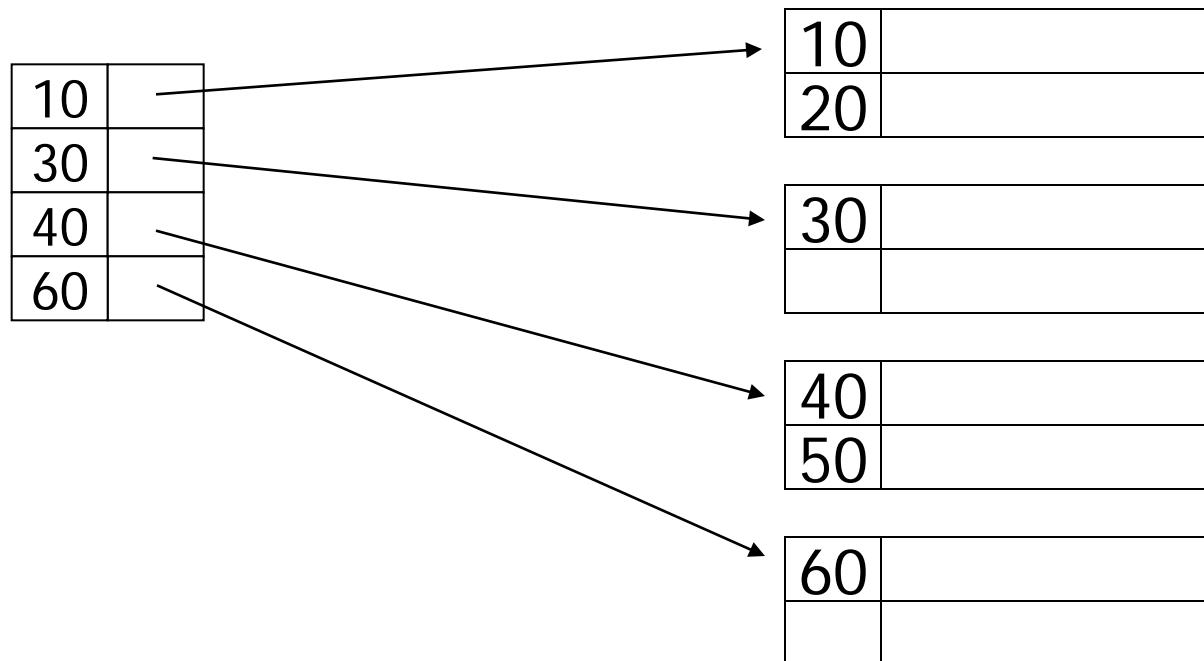


Deletion from dense index

– delete record 30

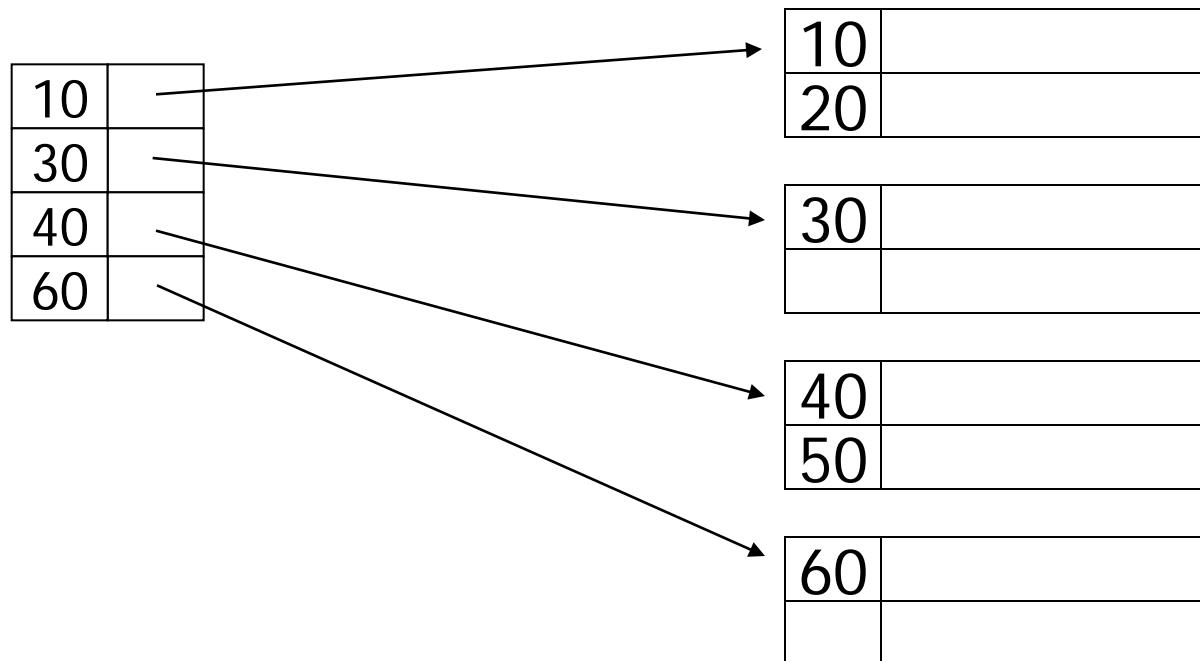


Insertion, sparse index case



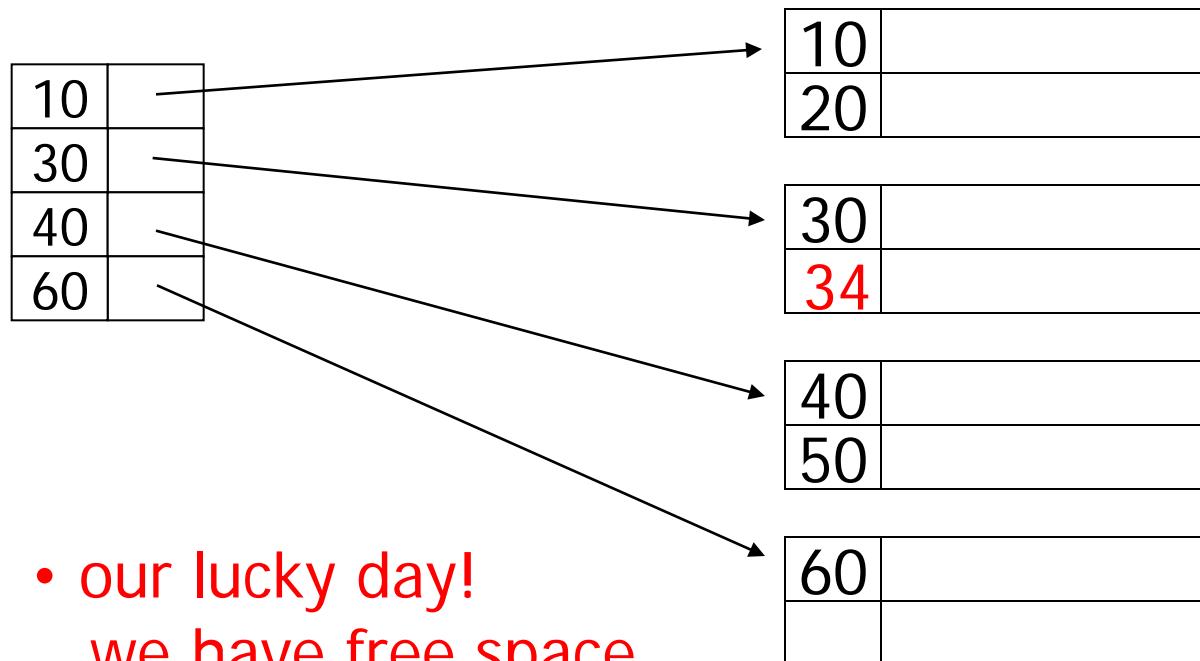
Insertion, sparse index case

– insert record 34



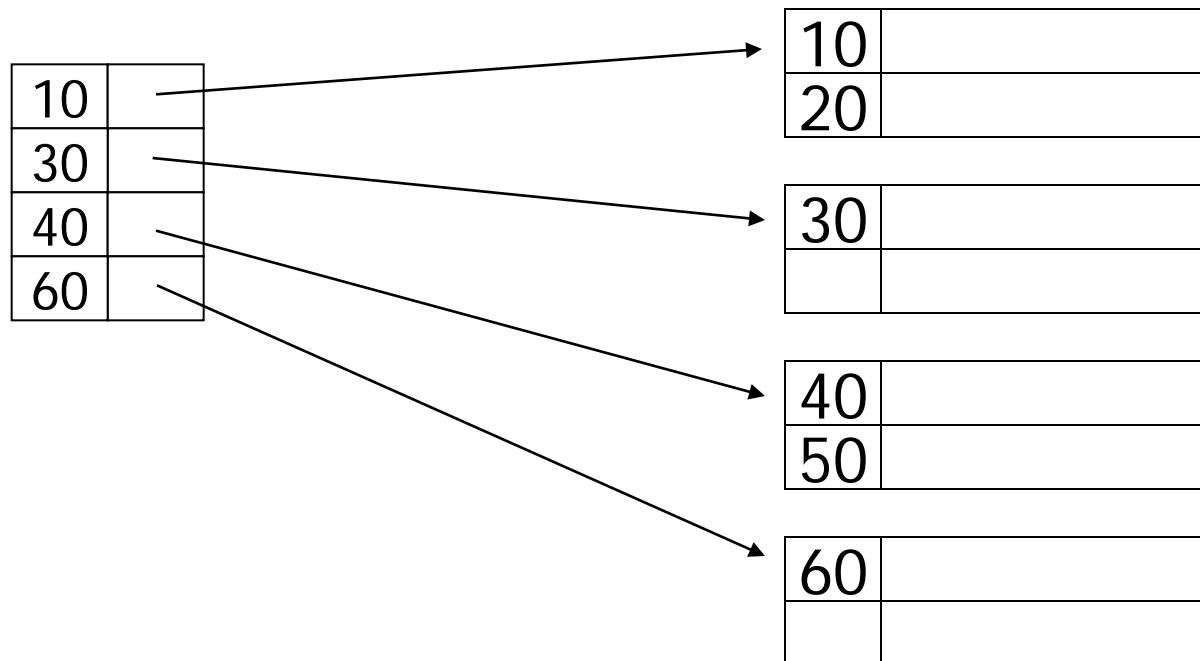
Insertion, sparse index case

– insert record 34



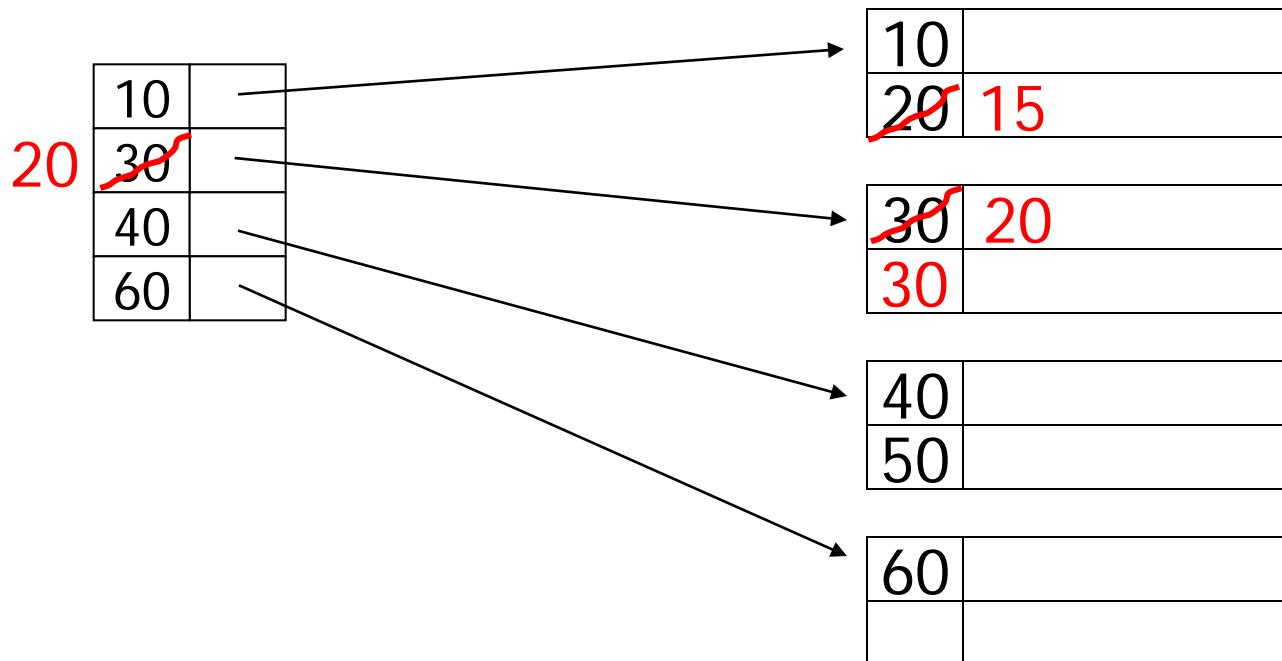
Insertion, sparse index case

– insert record 15



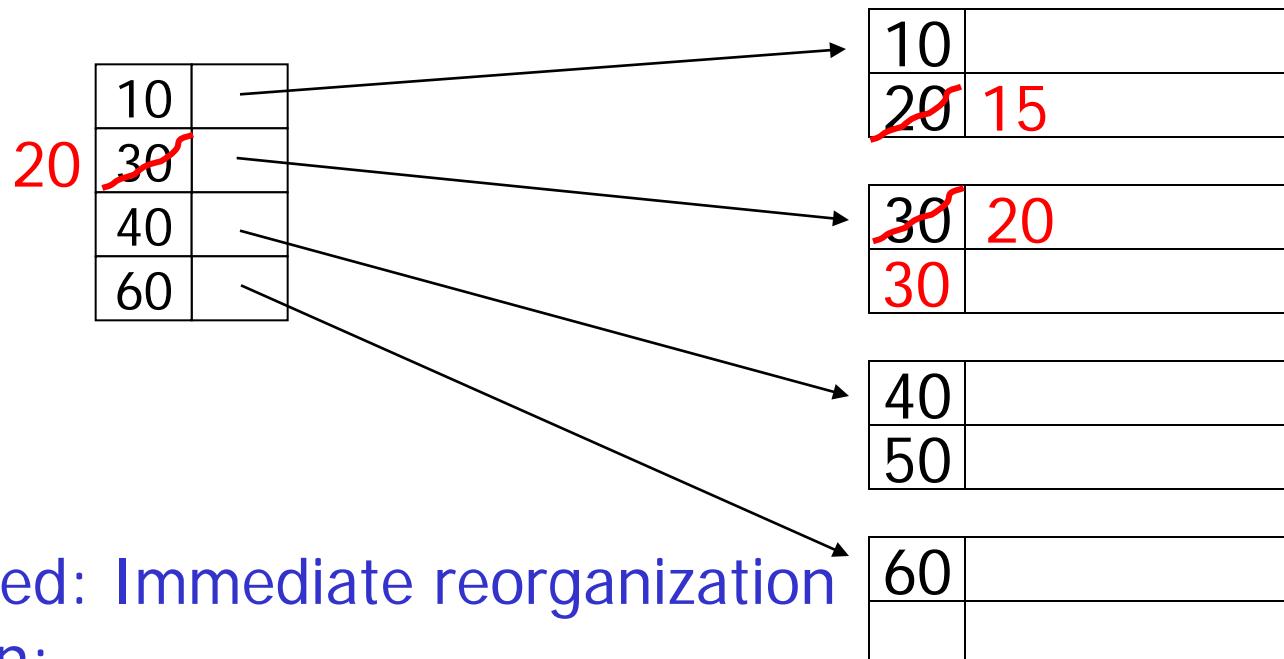
Insertion, sparse index case

– insert record 15



Insertion, sparse index case

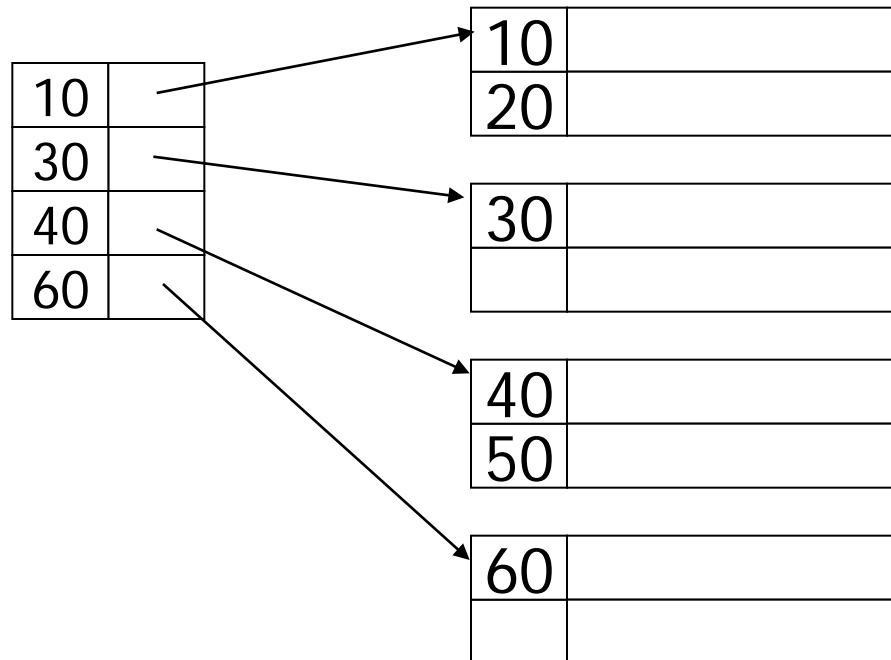
– insert record 15



- Illustrated: Immediate reorganization
- Variation:
 - insert new block (chained file)
 - update index

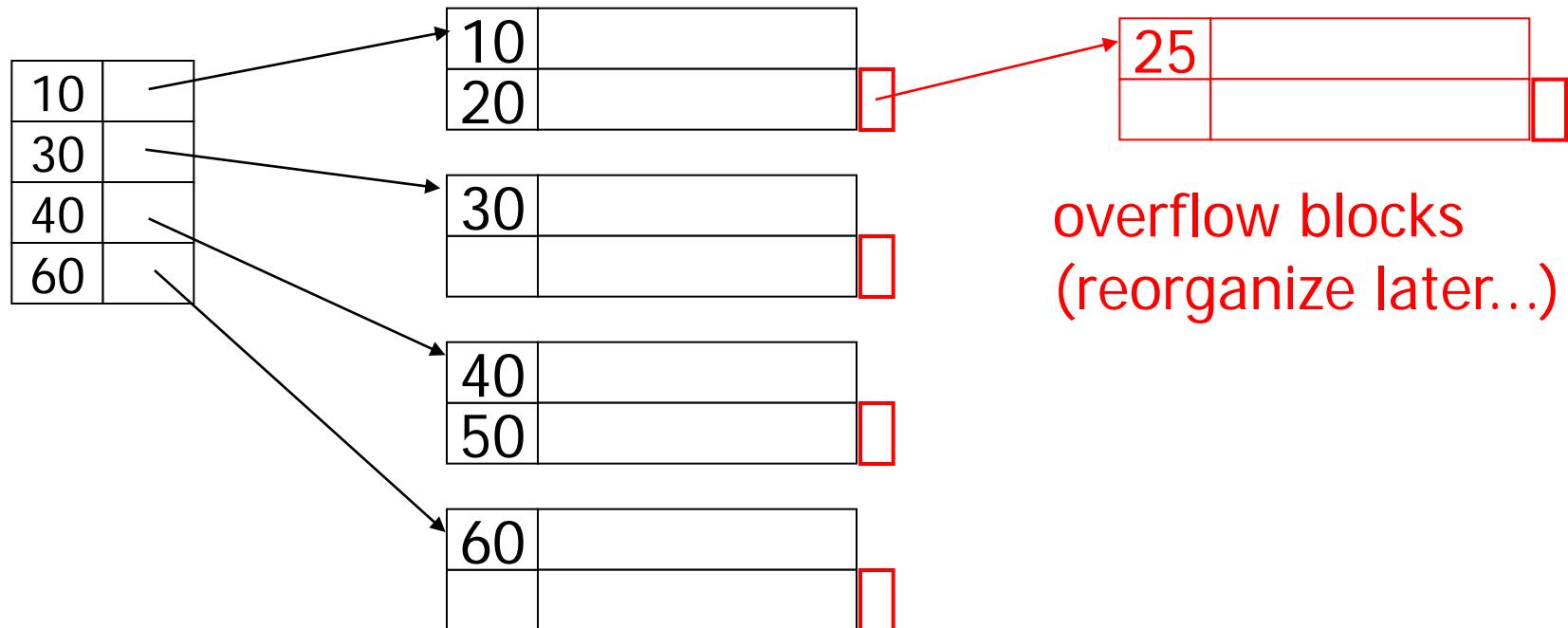
Insertion, sparse index case

– insert record 25



Insertion, sparse index case

– insert record 25





Insertion, dense index case

- Similar
- Often more expensive . . .



Secondary indexes

Sequence
field

30	
50	

20	
70	

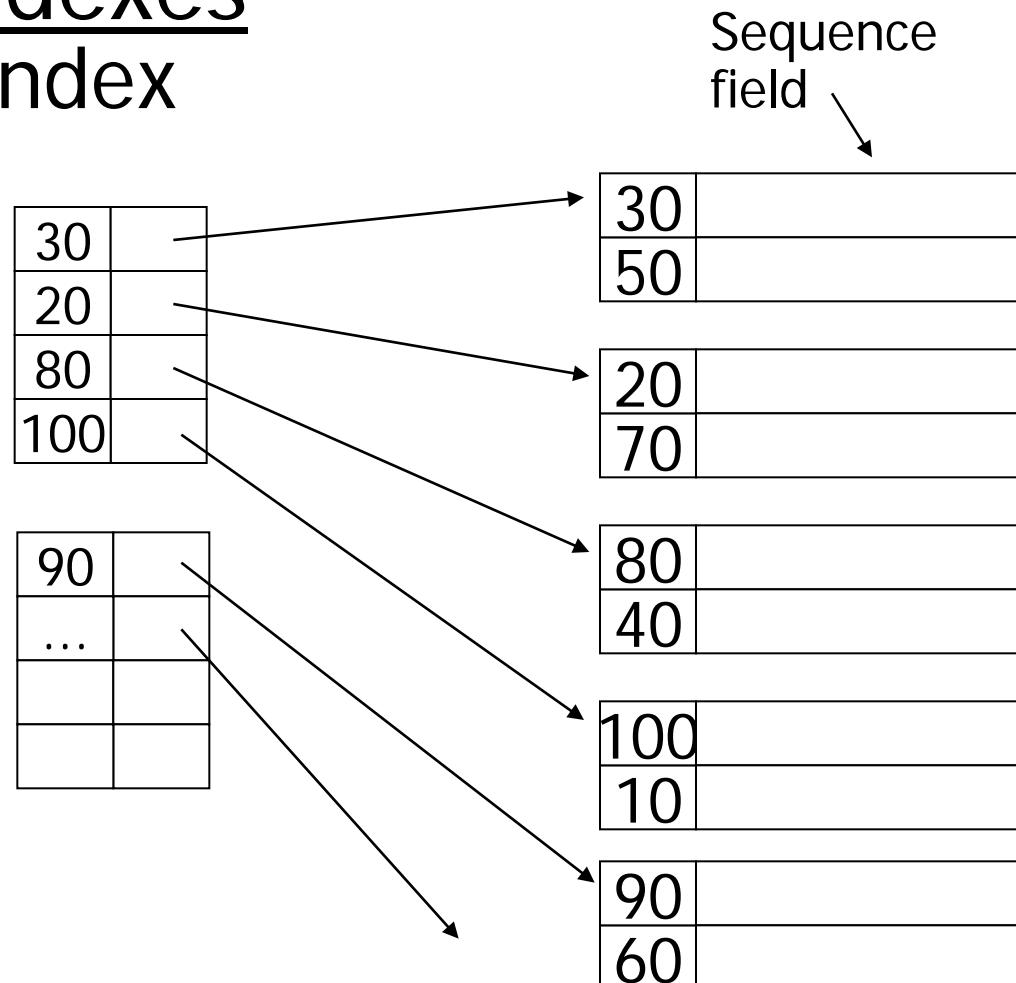
80	
40	

100	
10	

90	
60	

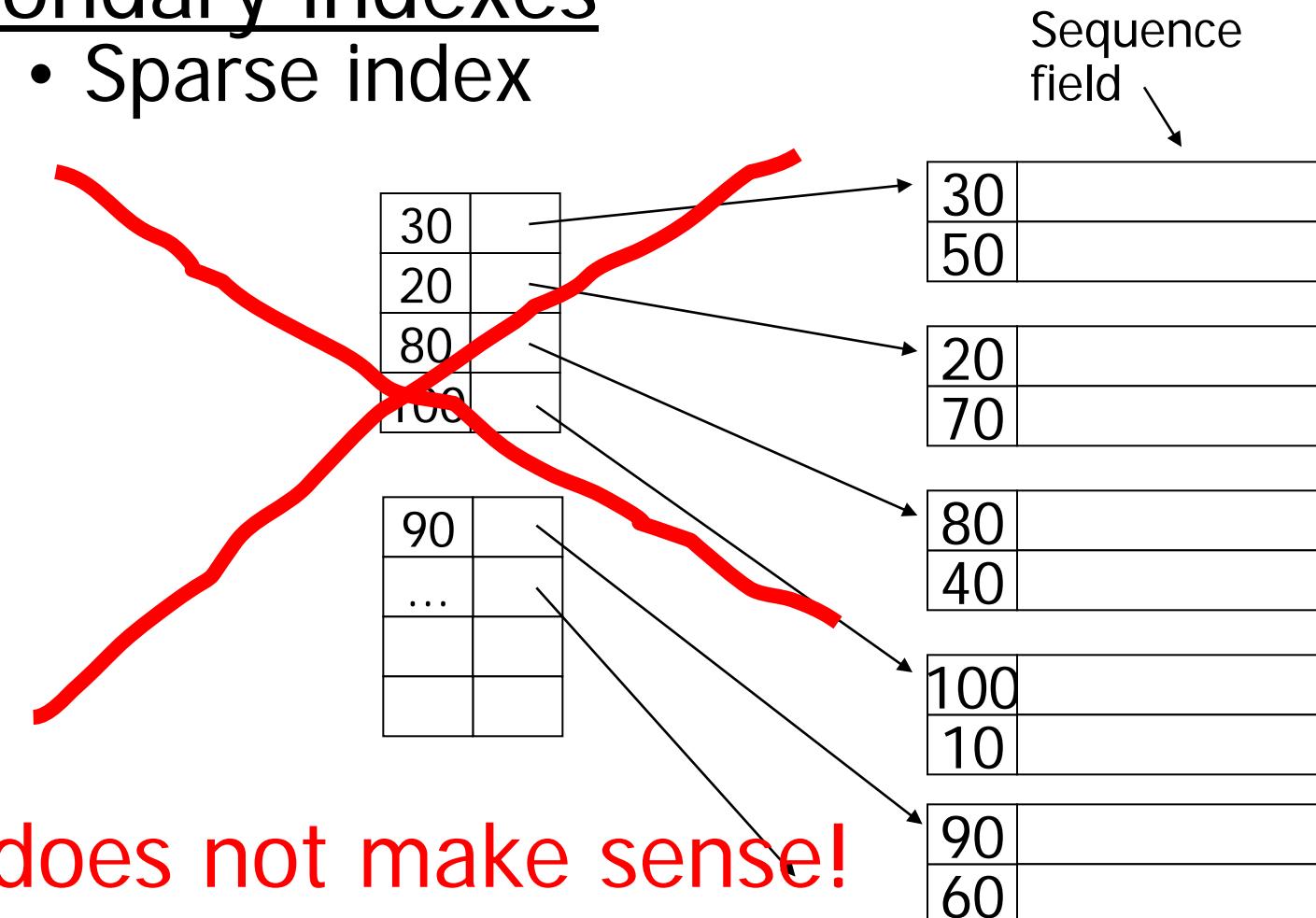
Secondary indexes

- Sparse index



Secondary indexes

- Sparse index



Secondary indexes

- Dense index

Sequence
field

30	
50	

20	
70	

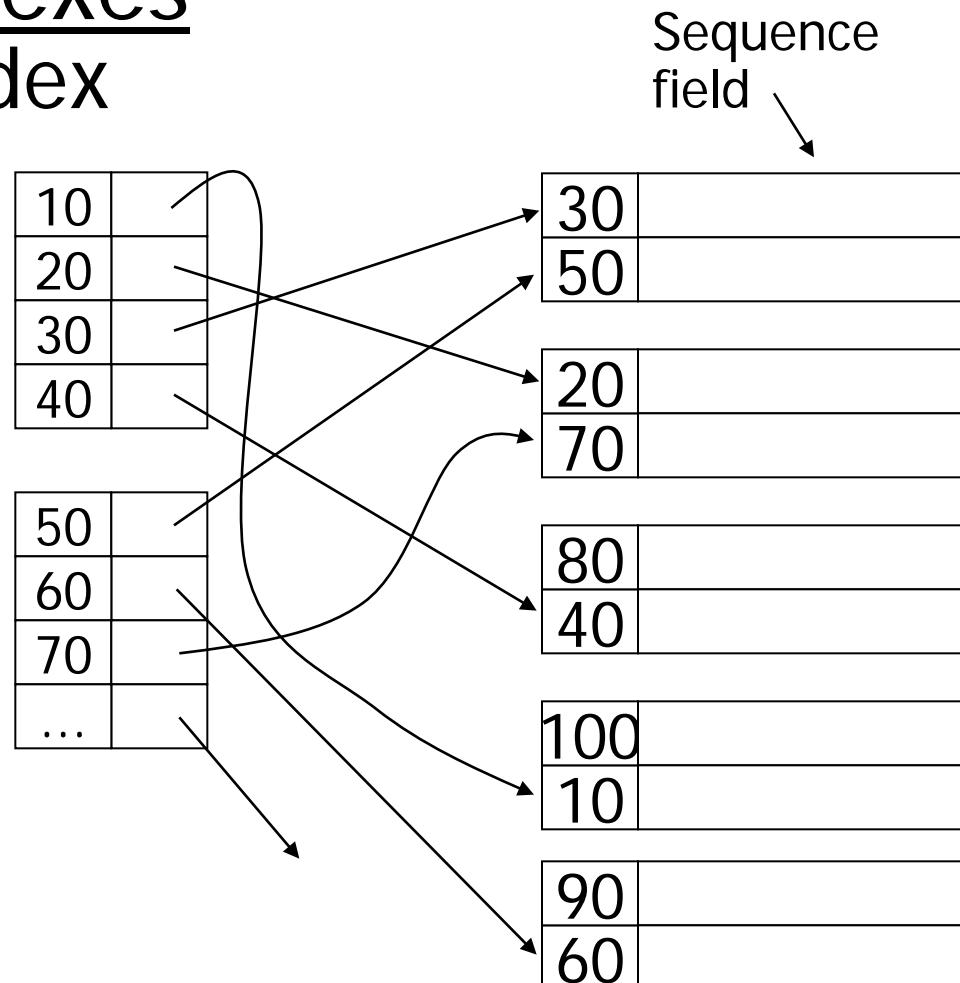
80	
40	

100	
10	

90	
60	

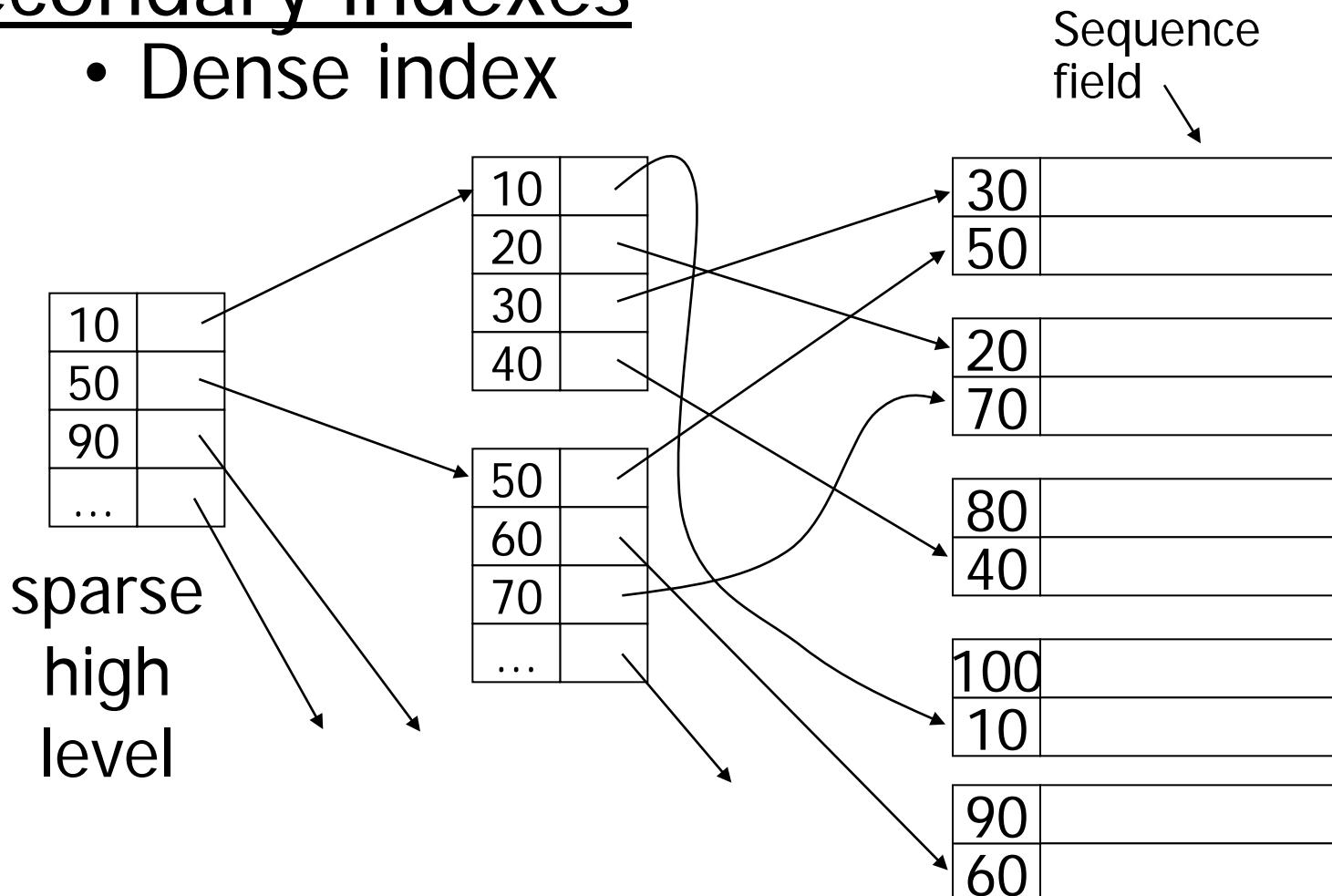
Secondary indexes

- Dense index



Secondary indexes

- Dense index





With secondary indexes:

- Lowest level is dense
- Other levels are sparse

Also: Pointers are record pointers
(not block pointers; not computed)



Duplicate values & secondary indexes

20	
10	

20	
40	

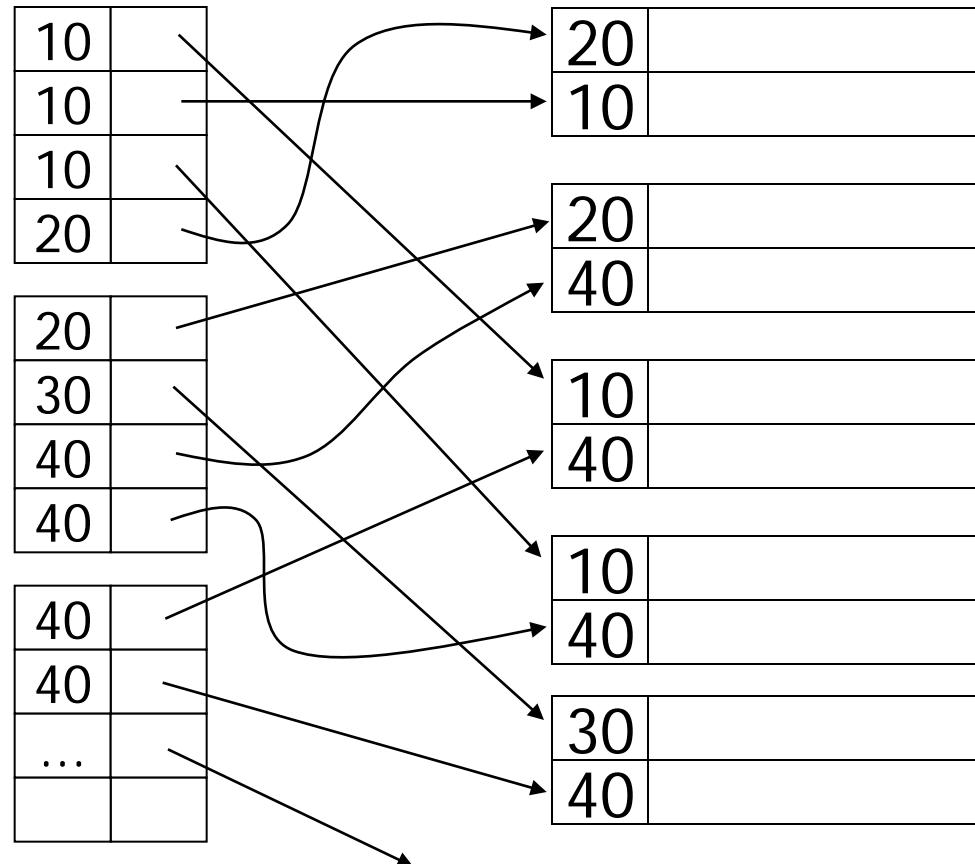
10	
40	

10	
40	

30	
40	

Duplicate values & secondary indexes

one option...

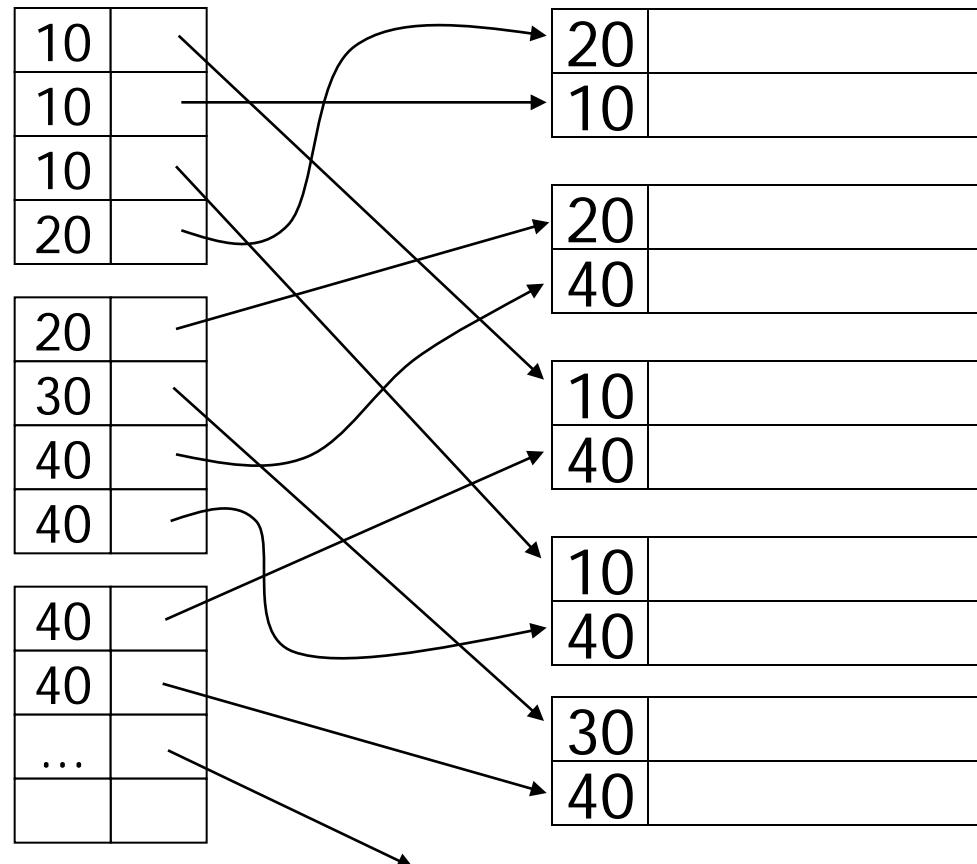


Duplicate values & secondary indexes

one option...

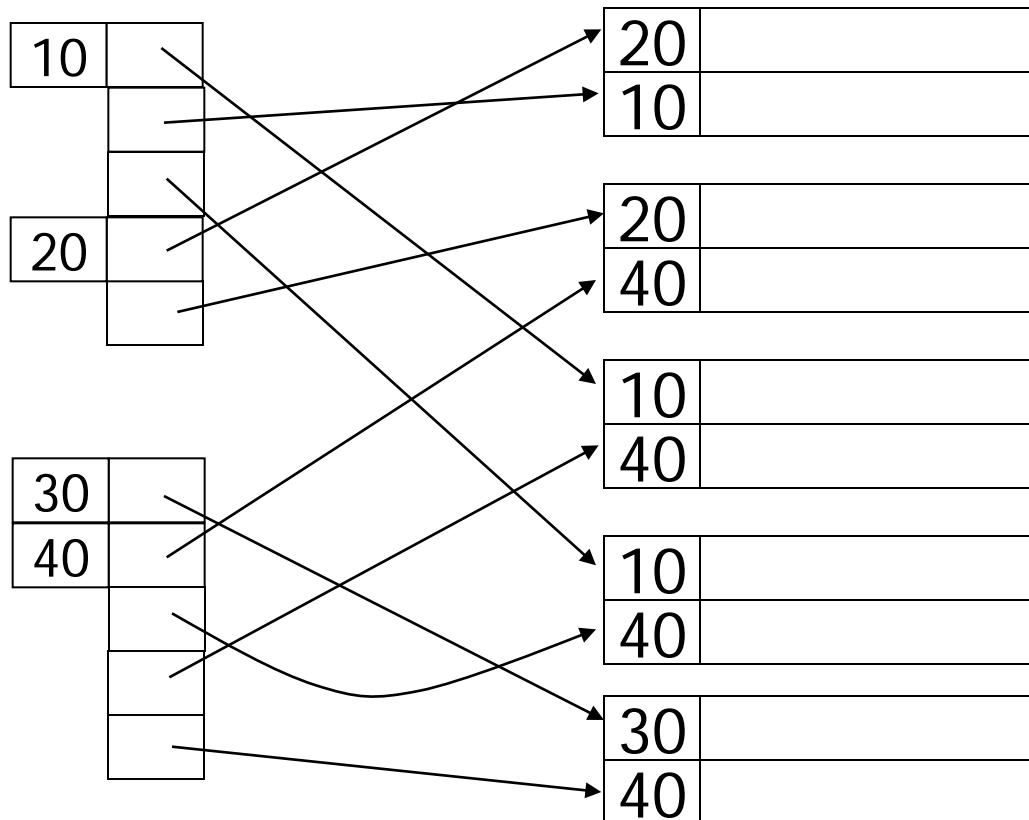
Problem:
excess overhead!

- disk space
- search time



Duplicate values & secondary indexes

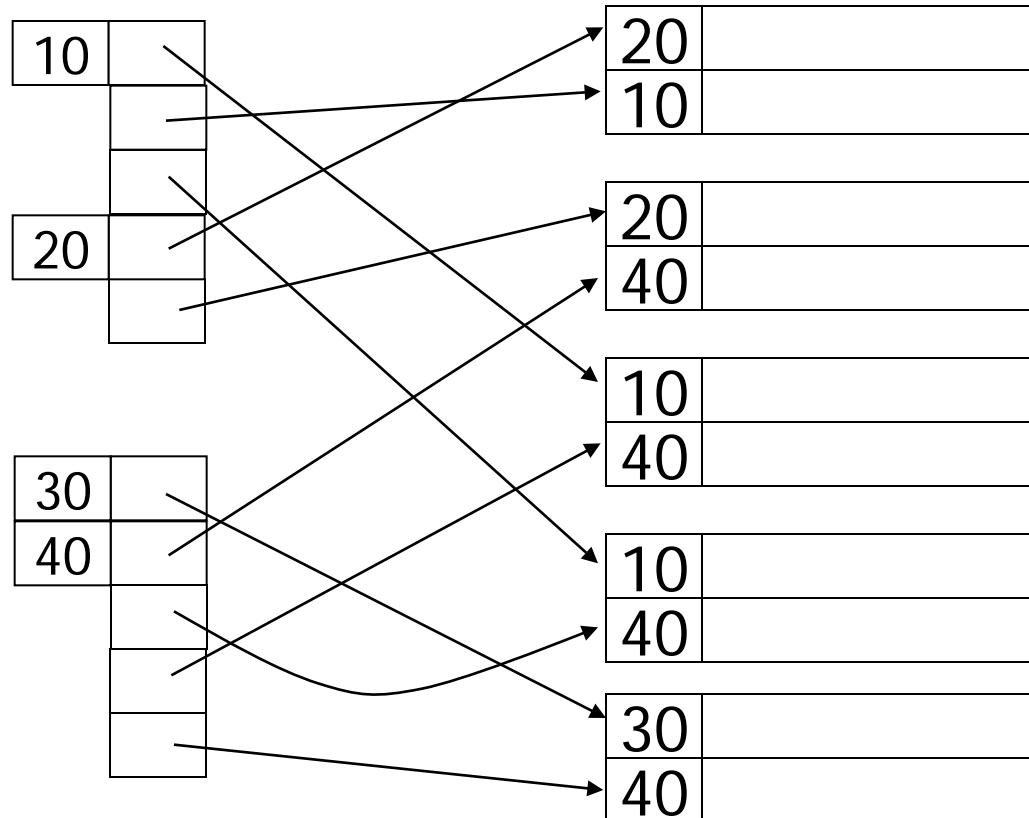
another option...



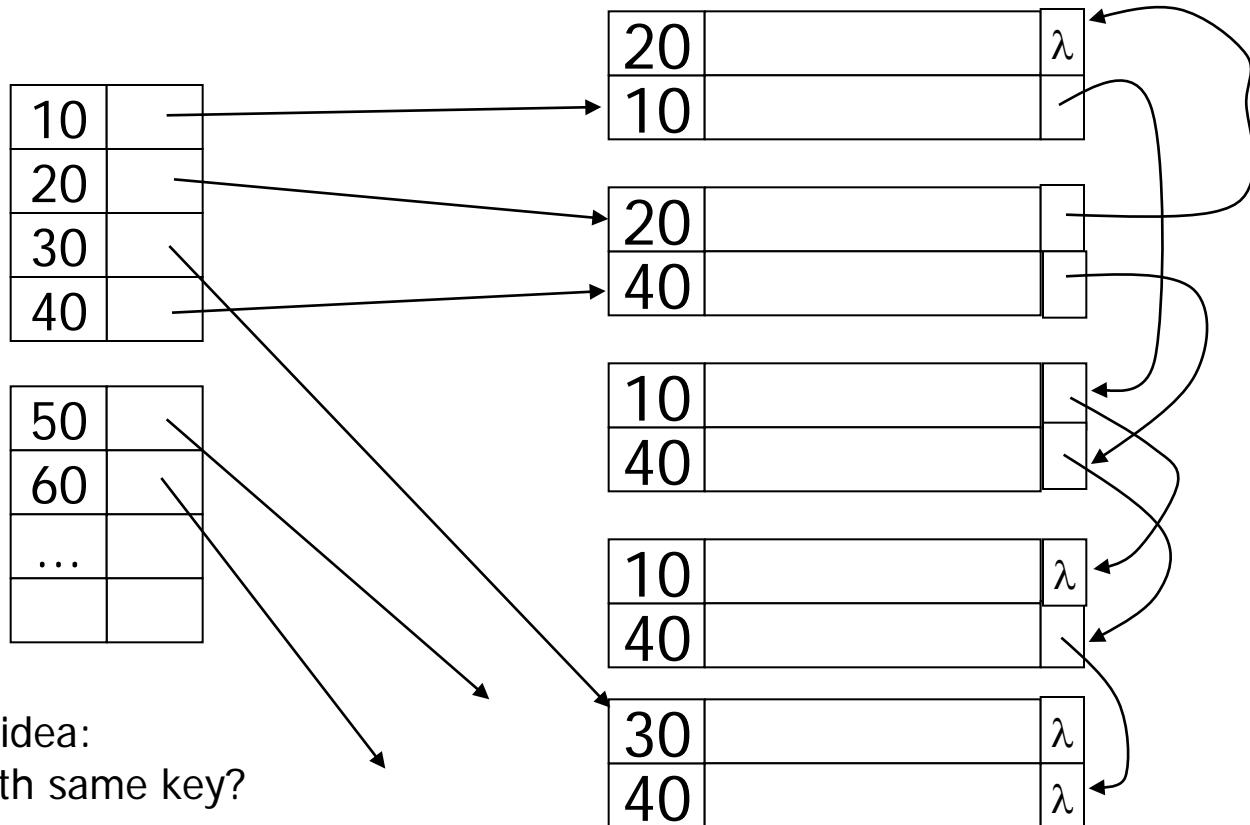
Duplicate values & secondary indexes

another option...

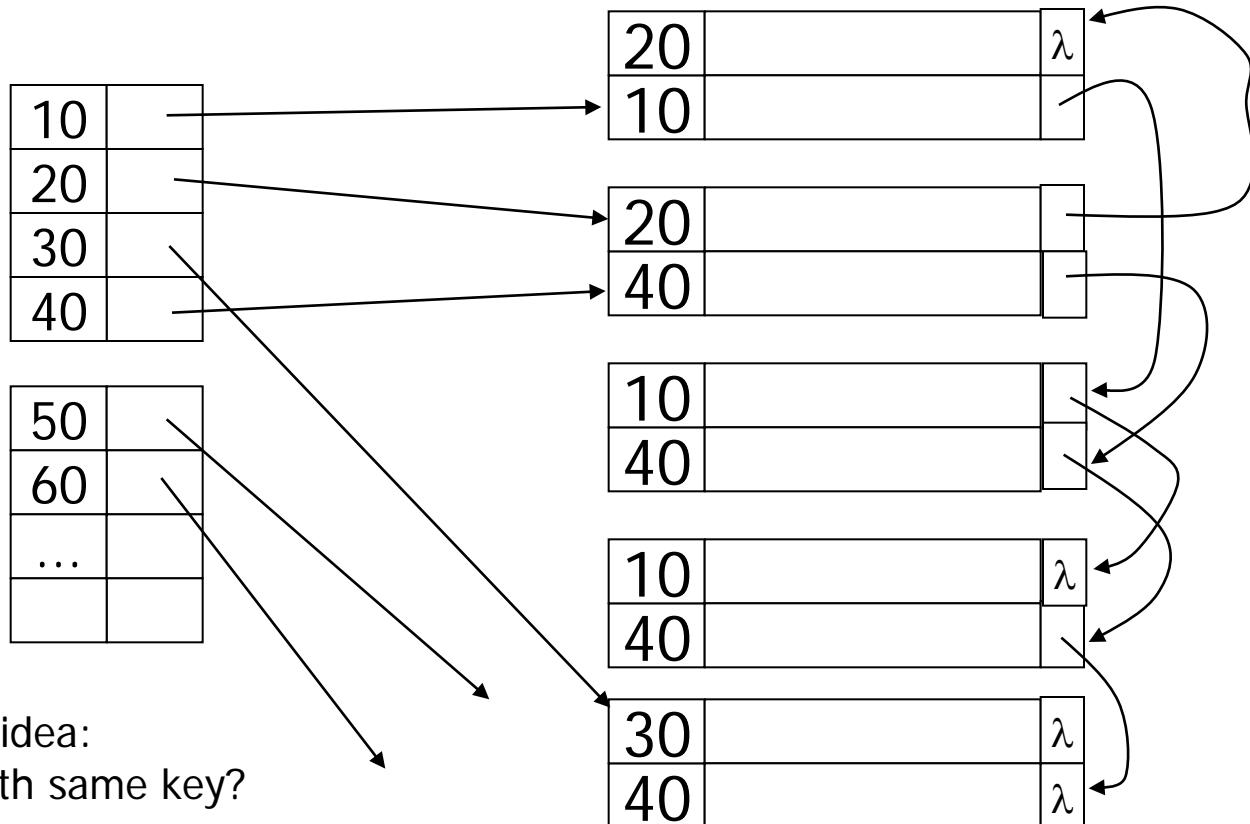
Problem:
variable size
records in
index!



Duplicate values & secondary indexes



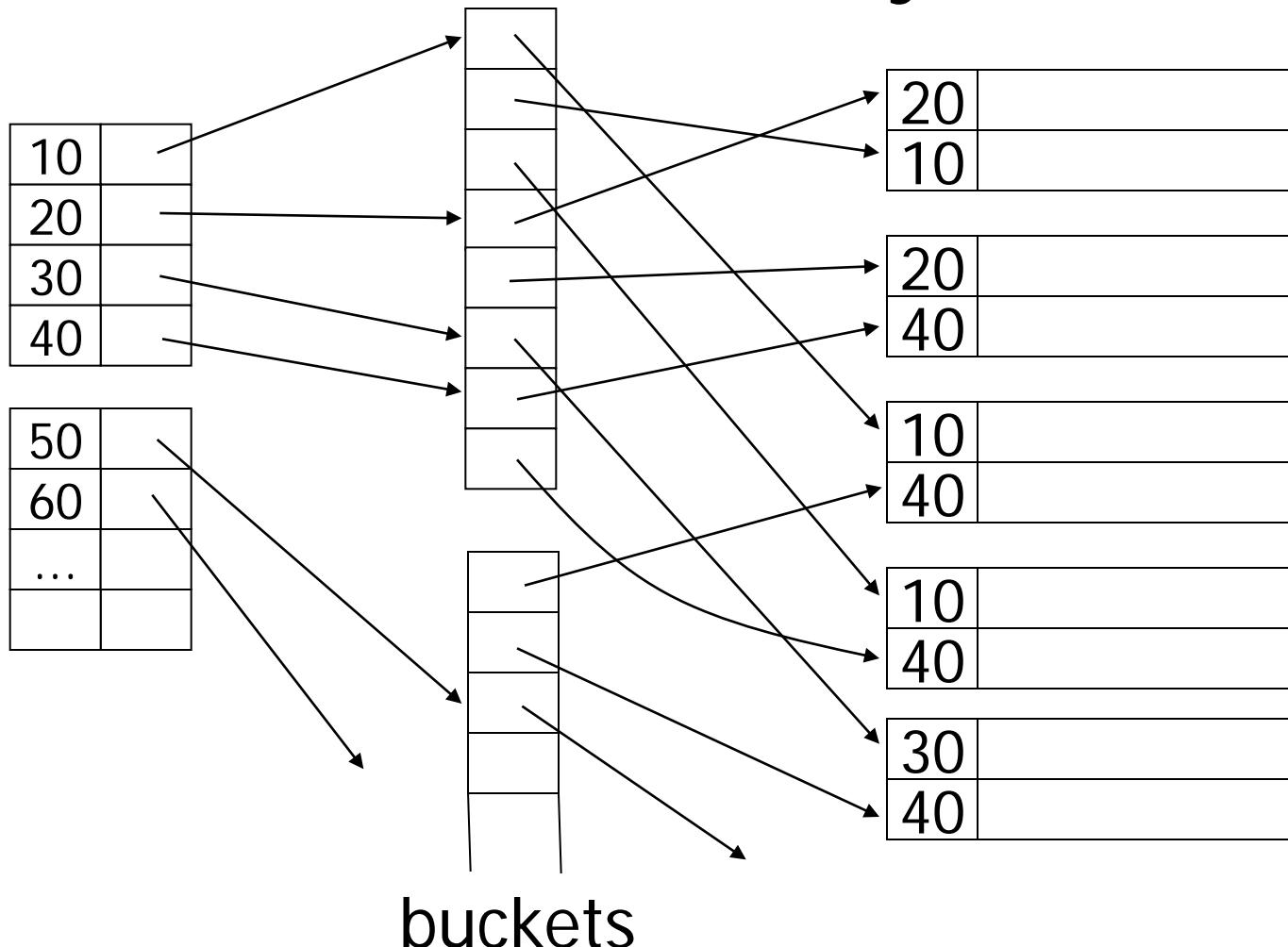
Duplicate values & secondary indexes



Problems:

- Need to add fields to records
- Need to follow chain to know records

Duplicate values & secondary indexes





Why “bucket” idea is useful

Indexes

Name: primary

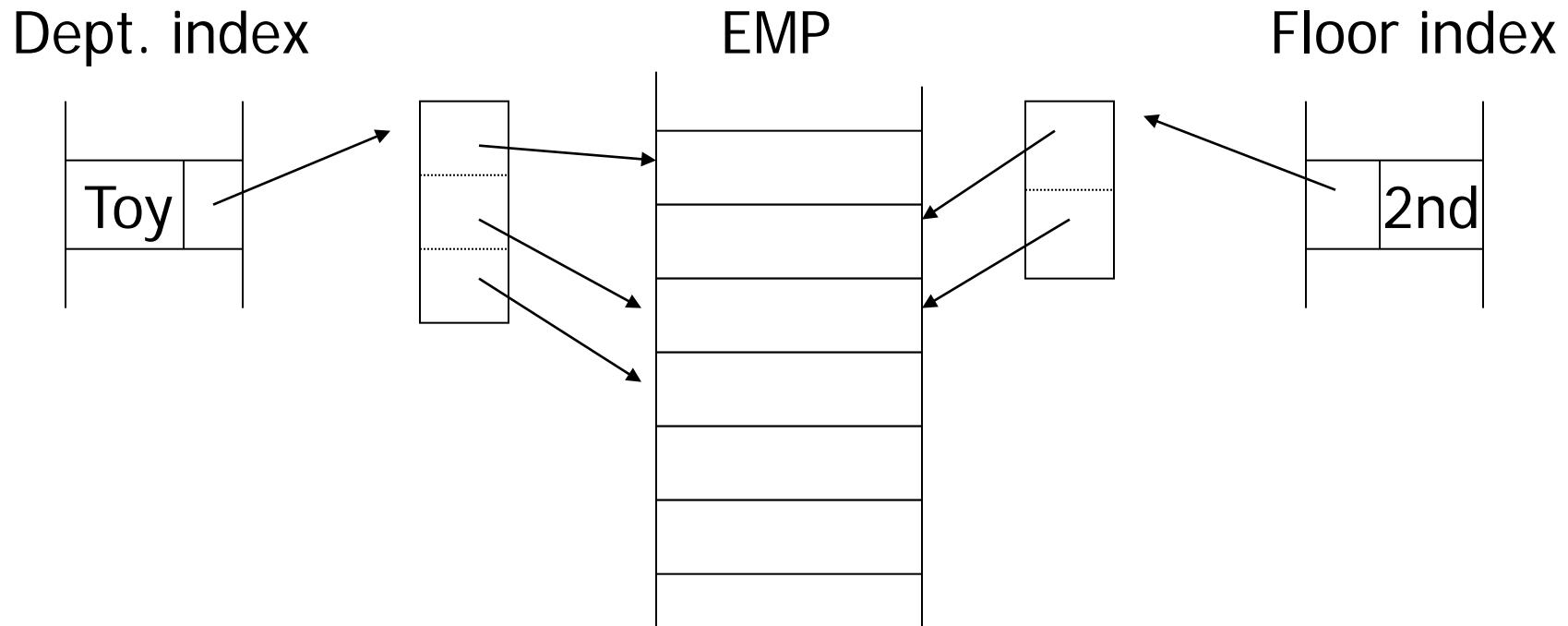
Dept: secondary

Floor: secondary

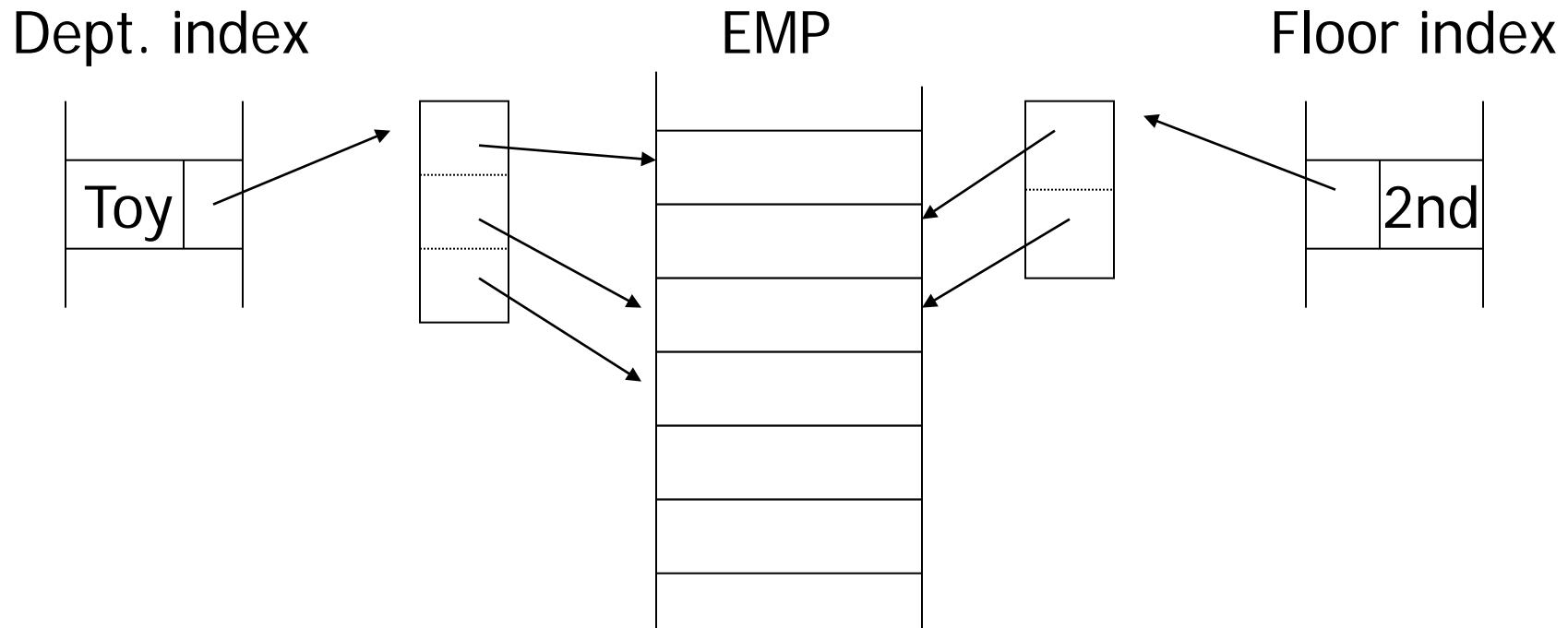
Records

EMP (name,dept,floor,...)

Query: Get employees in
(Toy Dept) \wedge (2nd floor)



Query: Get employees in
(Toy Dept) \wedge (2nd floor)



→ Intersect toy bucket and 2nd Floor
bucket to get set of matching EMP's



This idea used in text information retrieval

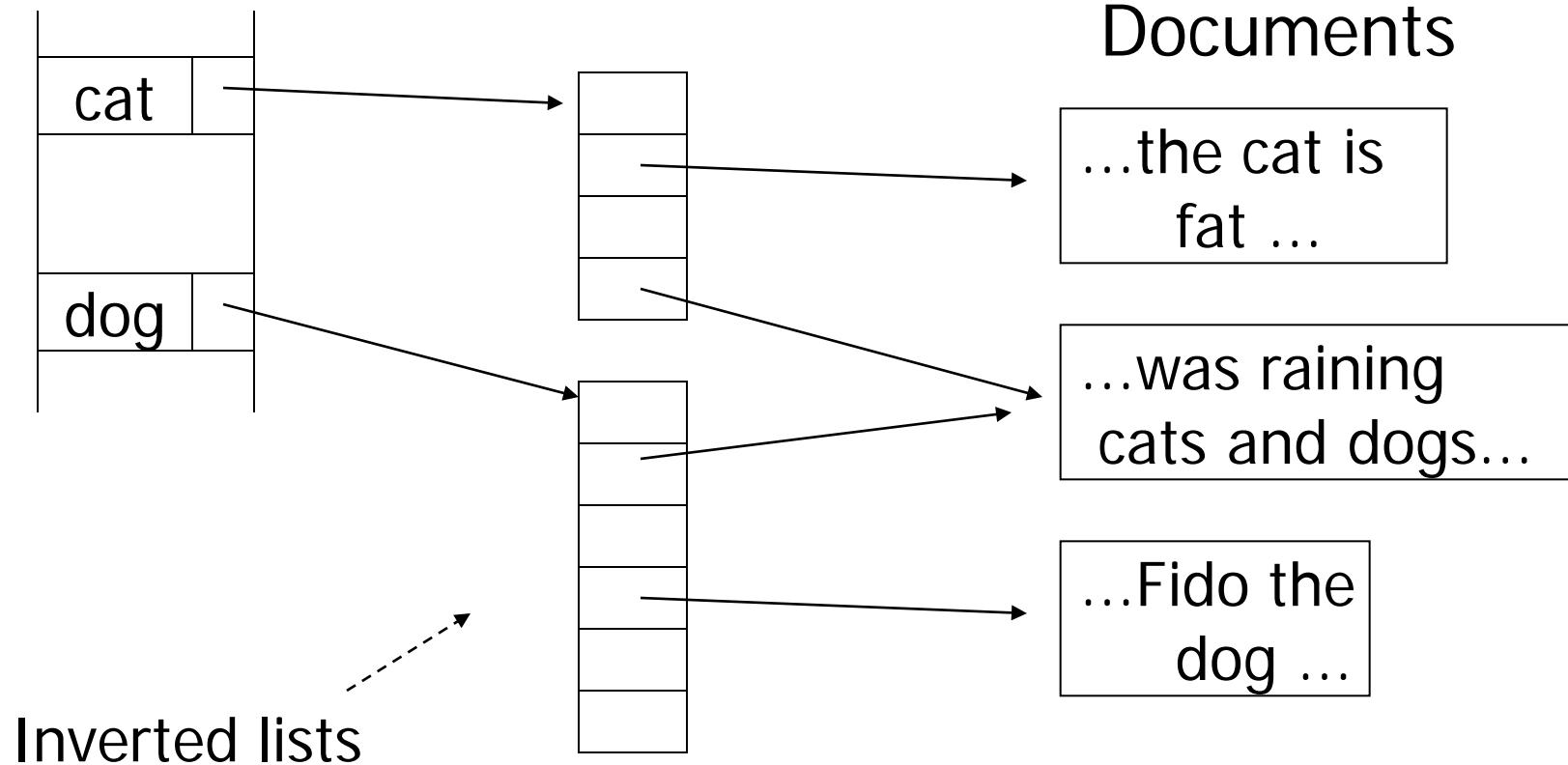
Documents

...the cat is
fat ...

...was raining
cats and dogs...

...Fido the
dog ...

This idea used in text information retrieval





IR QUERIES

- Find articles with “cat” and “dog”
- Find articles with “cat” or “dog”
- Find articles with “cat” and not “dog”

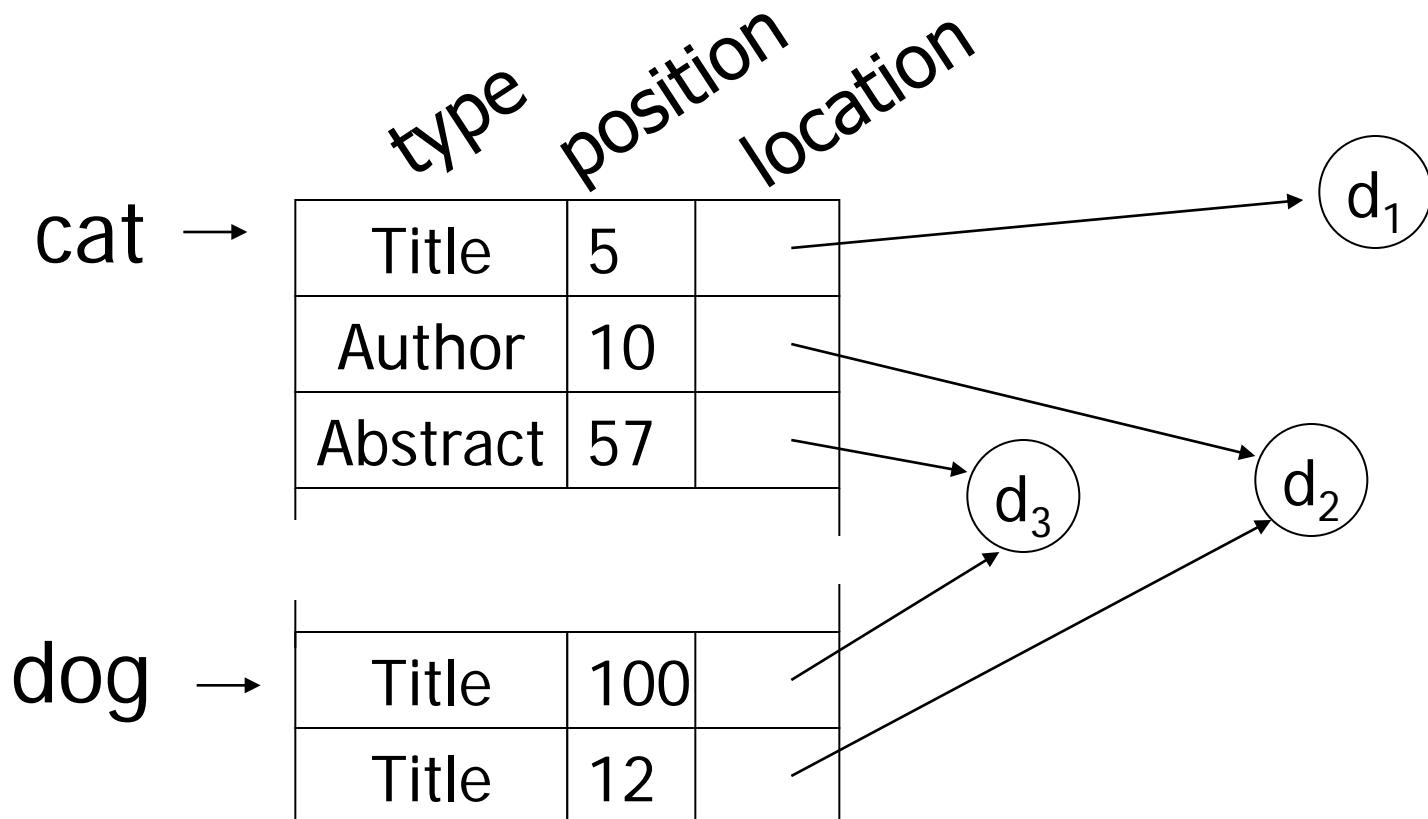


IR QUERIES

- Find articles with “cat” and “dog”
 - Find articles with “cat” or “dog”
 - Find articles with “cat” and not “dog”
-
- Find articles with “cat” in title
 - Find articles with “cat” and “dog”
within 5 words

Common technique:

more info in inverted list





Posting: an entry in inverted list.

Represents occurrence of term in article

Size of a list: 1
(in postings)

Rare words or miss-spellings

10^6 Common words

Size of a posting: 10-15 bits (compressed)



IR DISCUSSION

- Stop words
- Truncation
- Thesaurus
- Full text vs. Abstracts
- Vector model



Vector space model

	w1	w2	w3	w4	w5	w6	w7	...
DOC =	<1	0	0	1	1	0	0	...
Query=	<0	0	1	1	0	0	0	...



Vector space model

w1 w2 w3 w4 w5 w6 w7 ...

DOC = <1 0 0 1 1 0 0 ...>

Query= <0 0 1 1 0 0 0 ...>

PRODUCT = ↓
 1 + = score



- Tricks to weigh scores + normalize

e.g.: Match on common word not as useful as match on rare words...



- How to process V.S. Queries?

$$Q = \langle w_1 \quad w_2 \quad w_3 \quad w_4 \quad w_5 \quad w_6 \quad \dots | 0 \quad 0 \quad 0 \quad 1 \quad 1 \quad 0 \quad \dots \rangle$$



- Try Stanford Libraries
- Try Google, Yahoo, ...



Summary so far

- Conventional index
 - Basic Ideas: sparse, dense, multi-level...
 - Duplicate Keys
 - Deletion/Insertion
 - Secondary indexes
 - Buckets of Postings List



Conventional indexes

Advantage:

- Simple
- Index is sequential file
good for scans

Disadvantage:

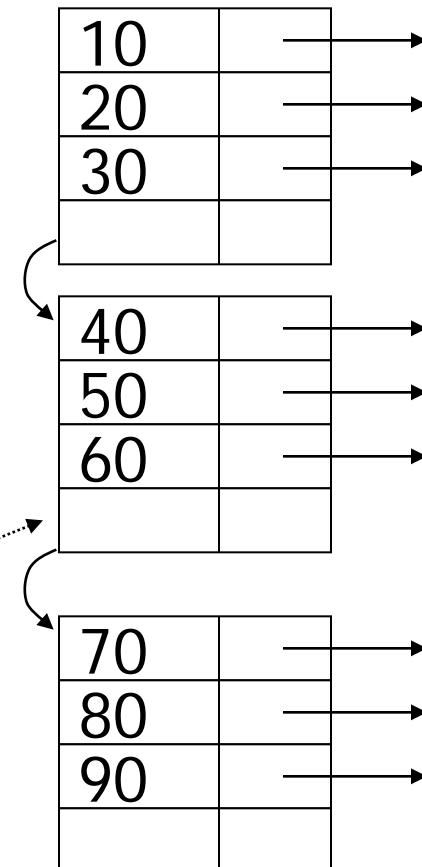
- Inserts expensive, and/or
- Lose sequentiality & balance

Example

Index (sequential)

continuous

free space



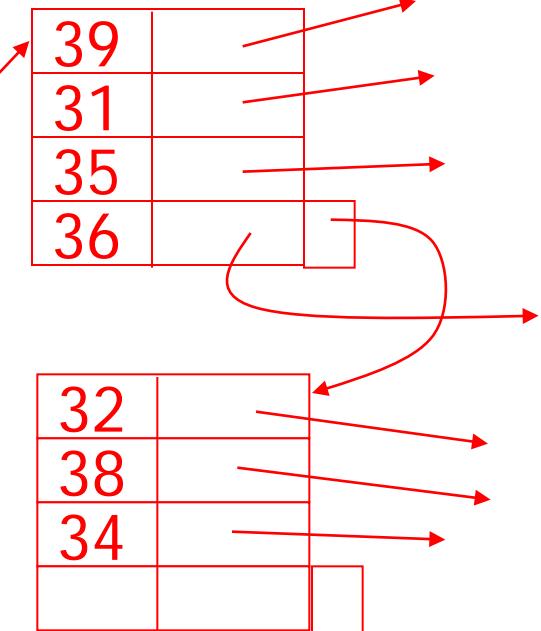
Example

Index (sequential)

continuous

free space

10	
20	
30	
33	
40	
50	
60	
70	
80	
90	



overflow area
(not sequential)



Outline:

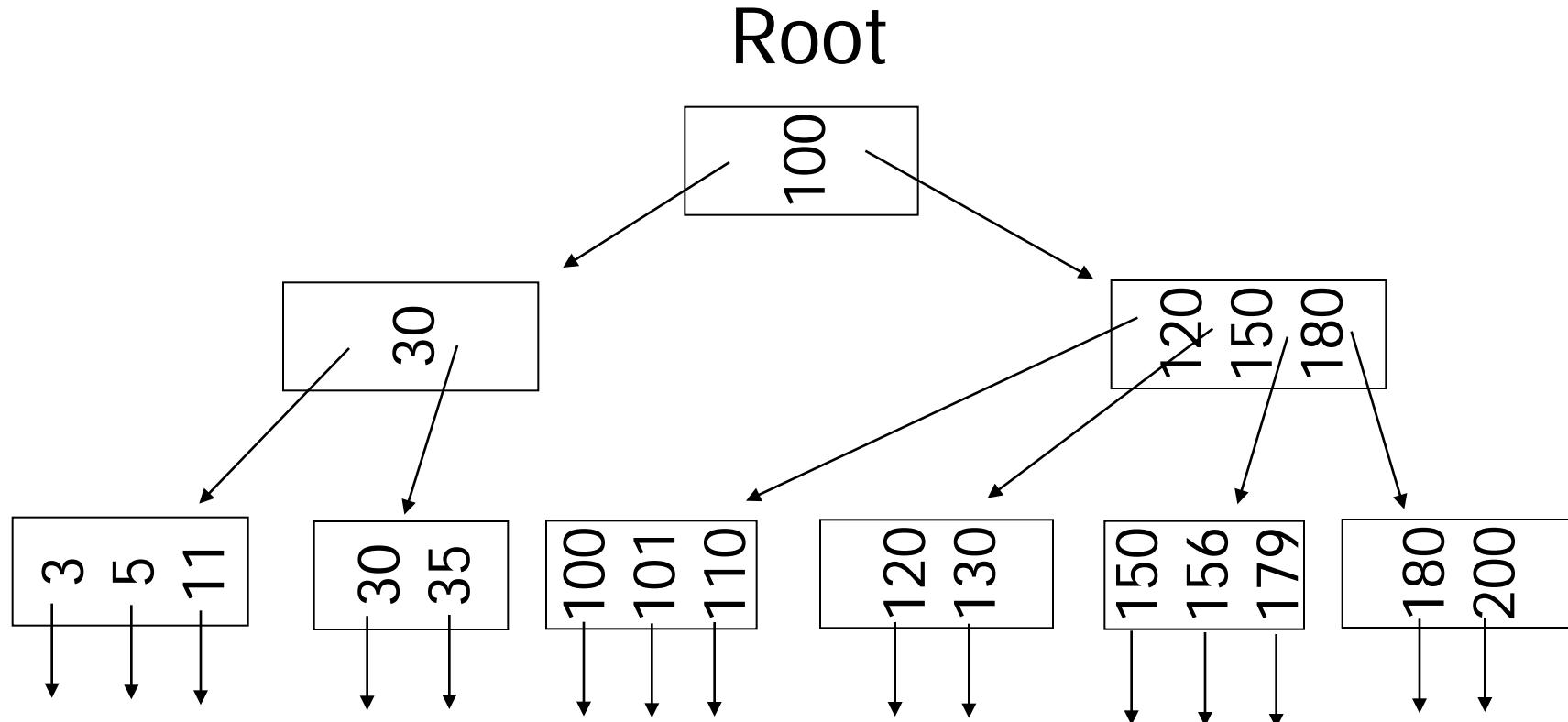
- Conventional indexes
- B-Trees ⇒ NEXT
- Hashing schemes



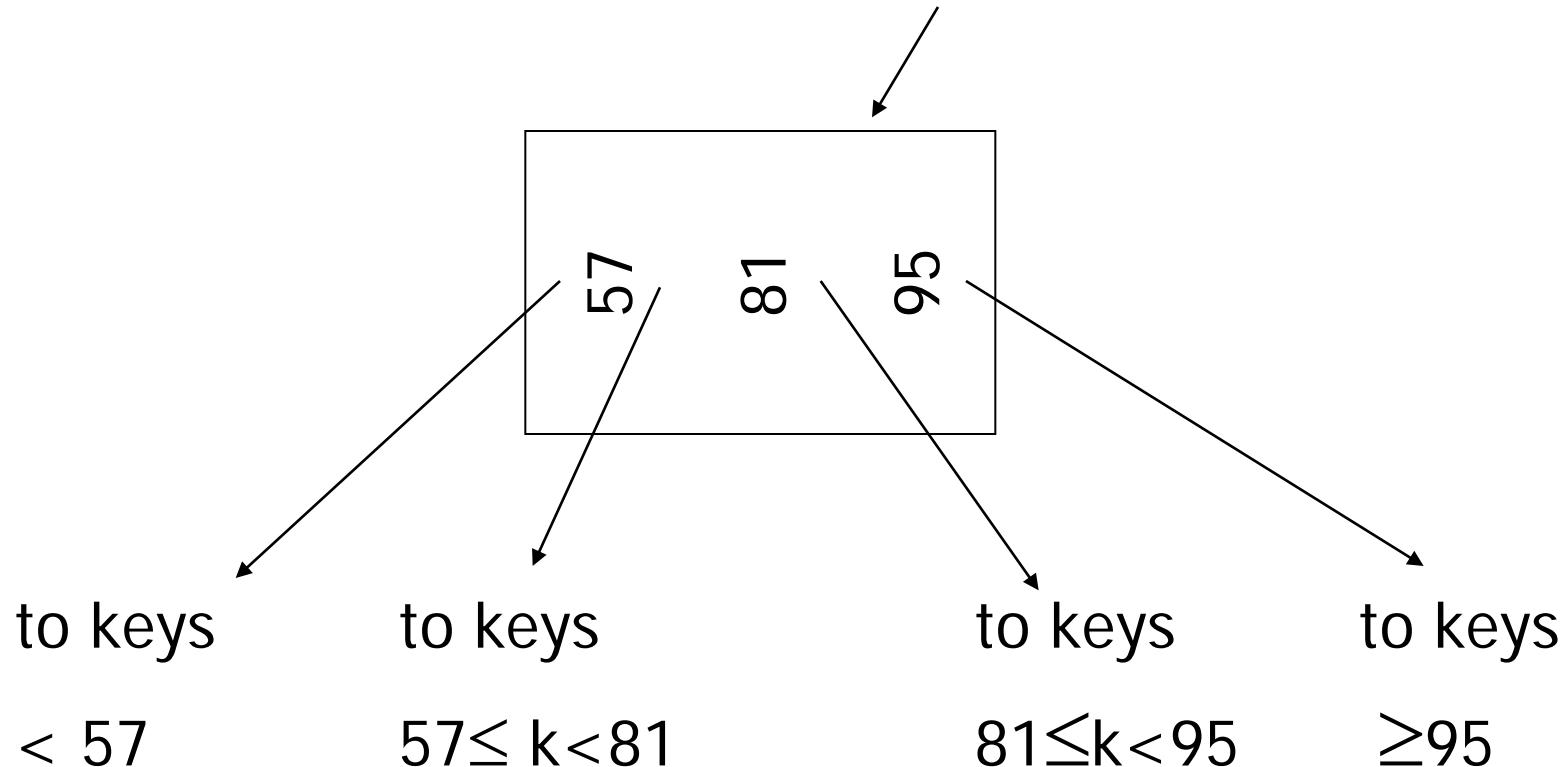
- NEXT: Another type of index
 - Give up on sequentiality of index
 - Try to get “balance”

B+ Tree Example

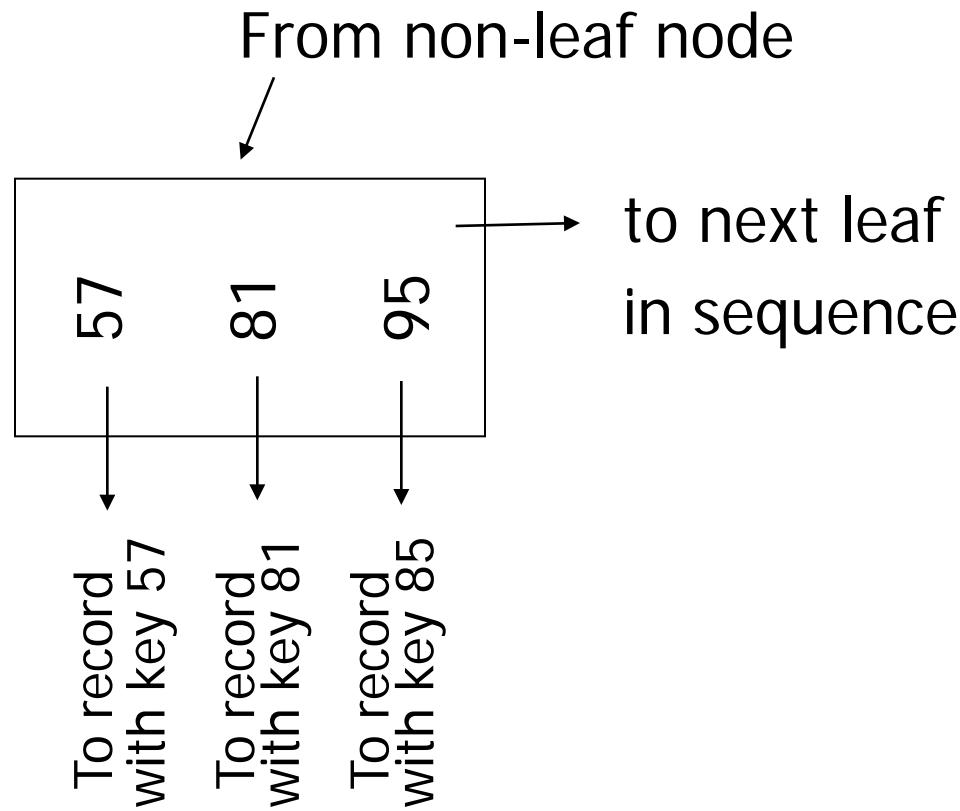
$n=3$



Sample non-leaf



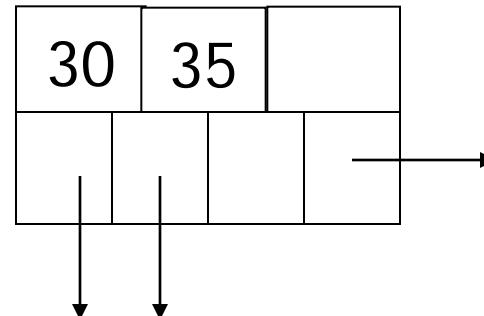
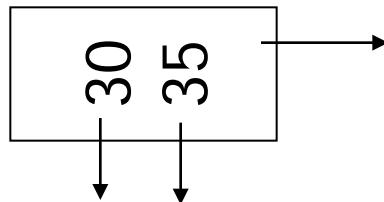
Sample leaf node:



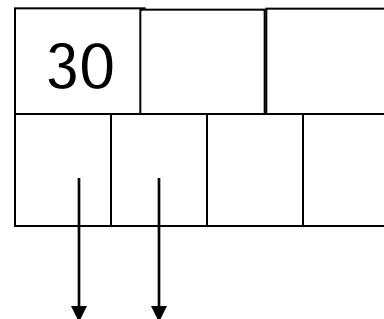
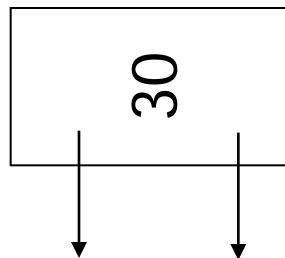
In textbook's notation

$n=3$

Leaf:



Non-leaf:





Size of nodes:

$n+1$ pointers	<u>(fixed)</u>
n keys	



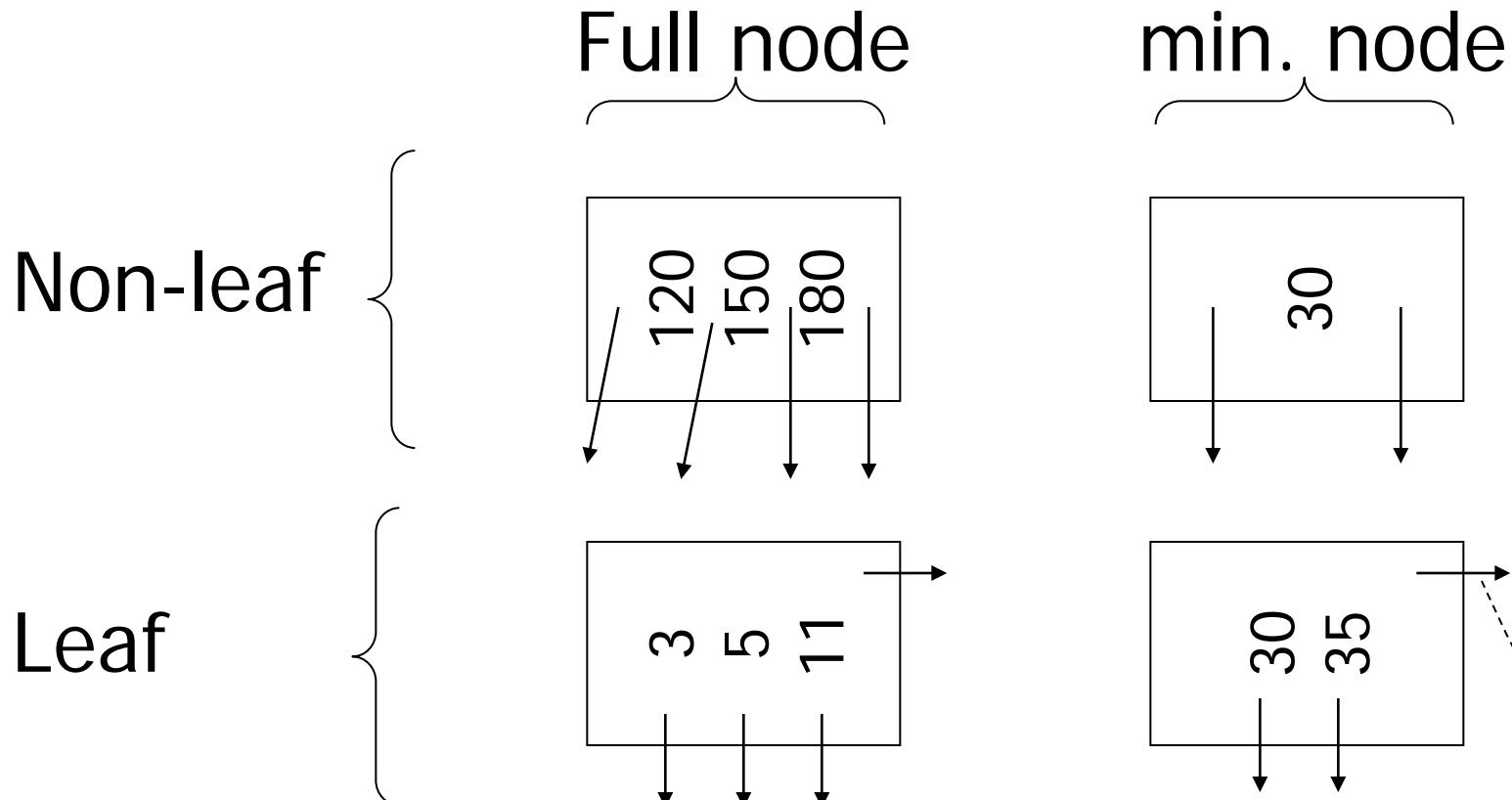
Don't want nodes to be too empty

- Use at least

Non-leaf: $\lceil (n+1)/2 \rceil$ pointers

Leaf: $\lfloor (n+1)/2 \rfloor$ pointers to data

$n=3$



counts even if null



B+tree rules tree of order n

- (1) All leaves at same lowest level
(balanced tree)
- (2) Pointers in leaves point to records
except for “sequence pointer”



(3) Number of pointers/keys for B+tree

	Max ptrs	Max keys	Min ptrs→data	Min keys
Non-leaf (non-root)	$n+1$	n	$\lceil(n+1)/2\rceil$	$\lceil(n+1)/2\rceil - 1$
Leaf (non-root)	$n+1$	n	$\lfloor(n+1)/2\rfloor$	$\lfloor(n+1)/2\rfloor$
Root	$n+1$	n	1	1

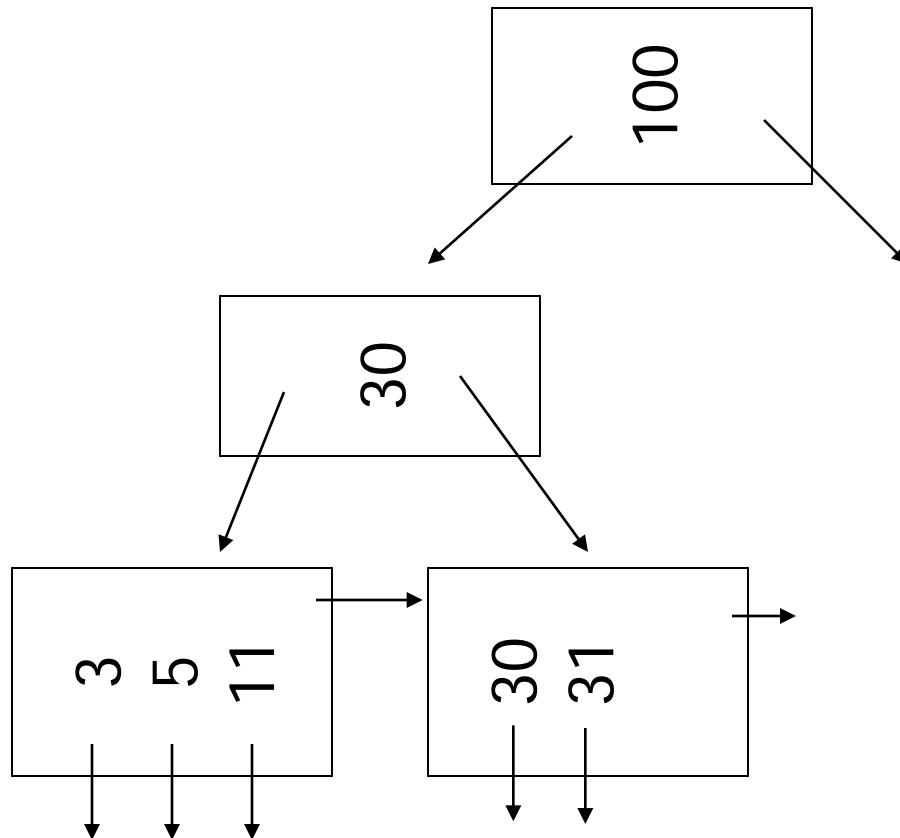


Insert into B+tree

- (a) simple case
 - space available in leaf
- (b) leaf overflow
- (c) non-leaf overflow
- (d) new root

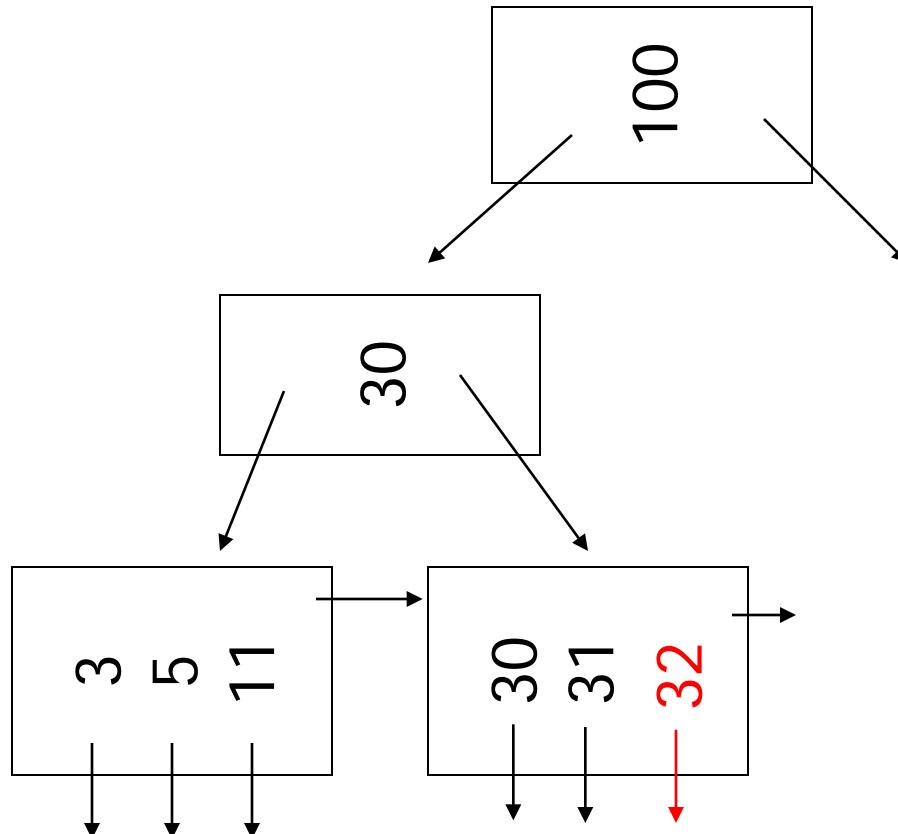
(a) Insert key = 32

n=3



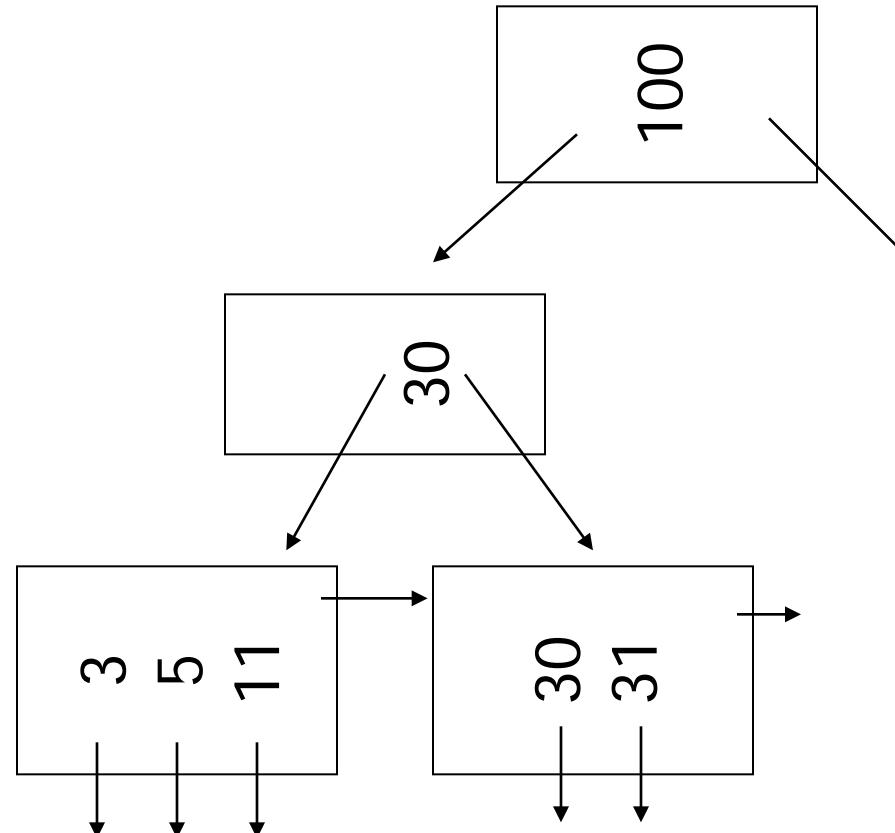
(a) Insert key = 32

n=3



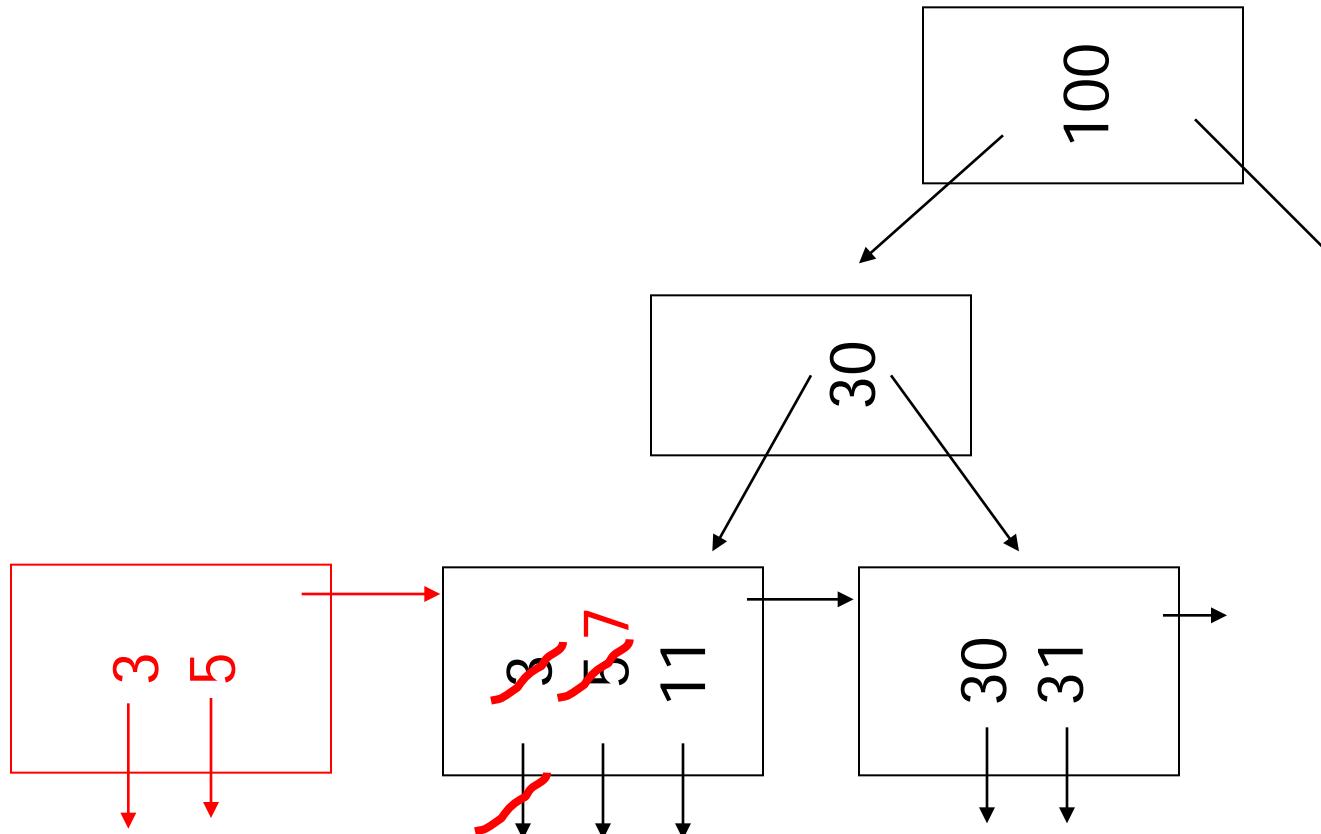
(a) Insert key = 7

n=3



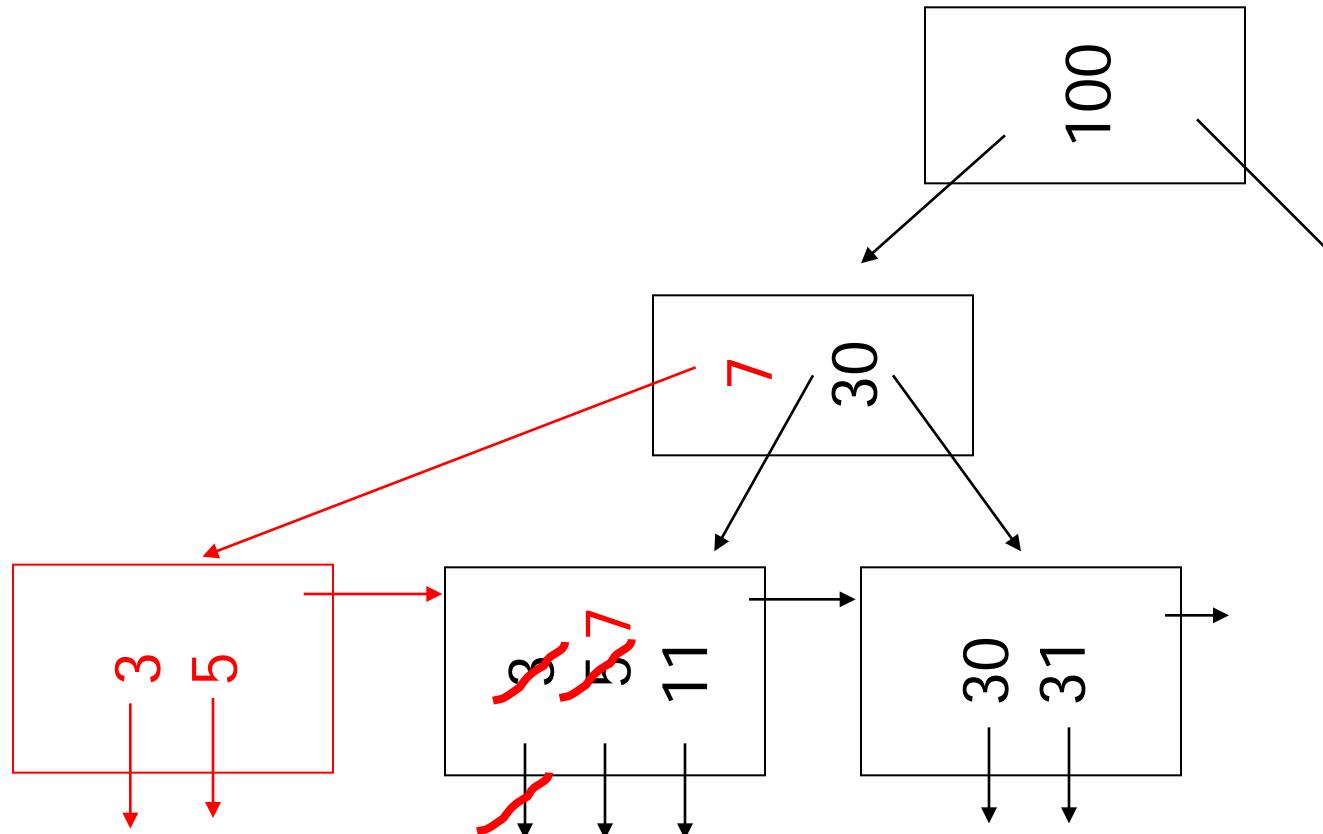
(a) Insert key = 7

n=3



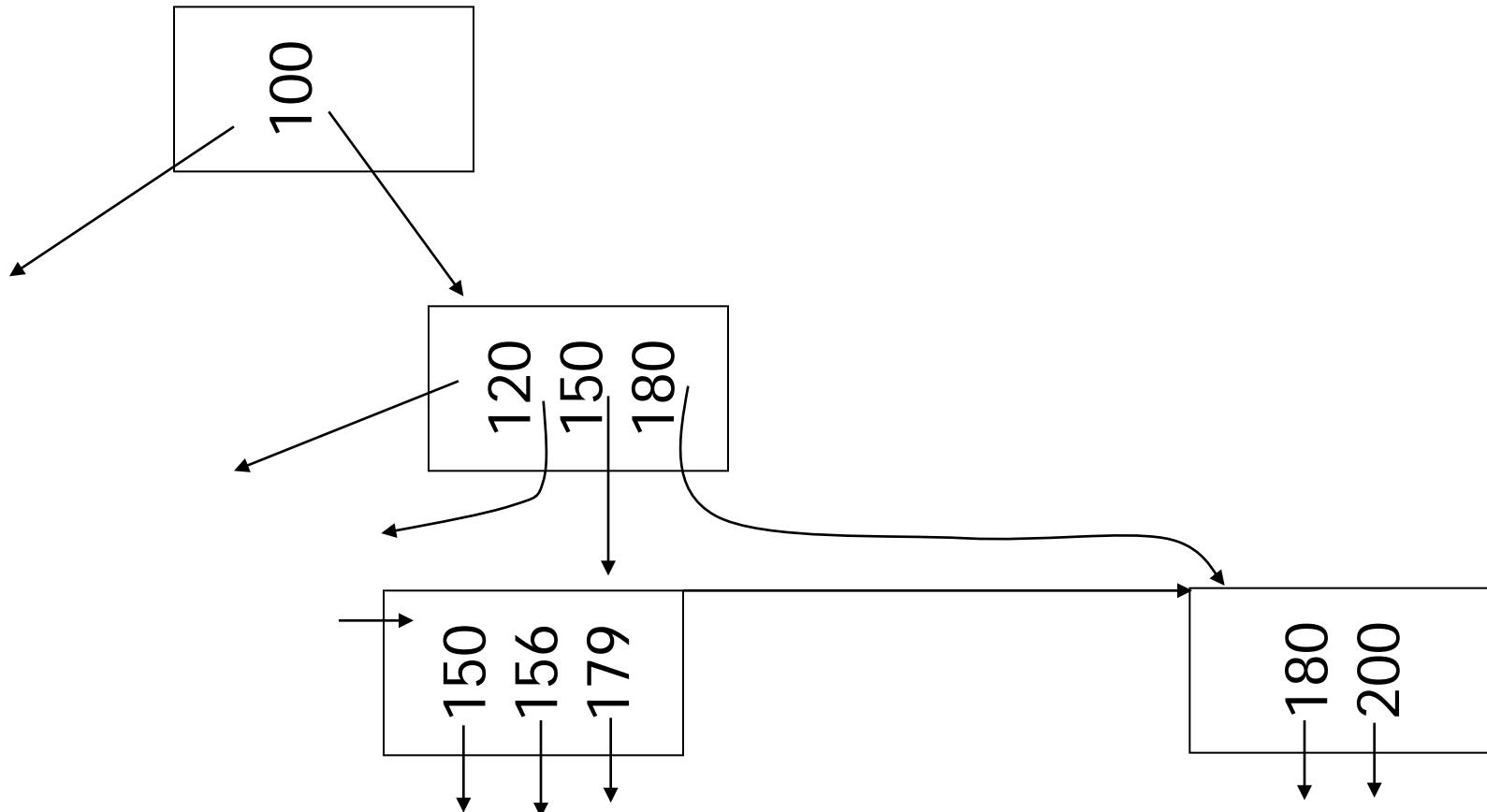
(a) Insert key = 7

n=3



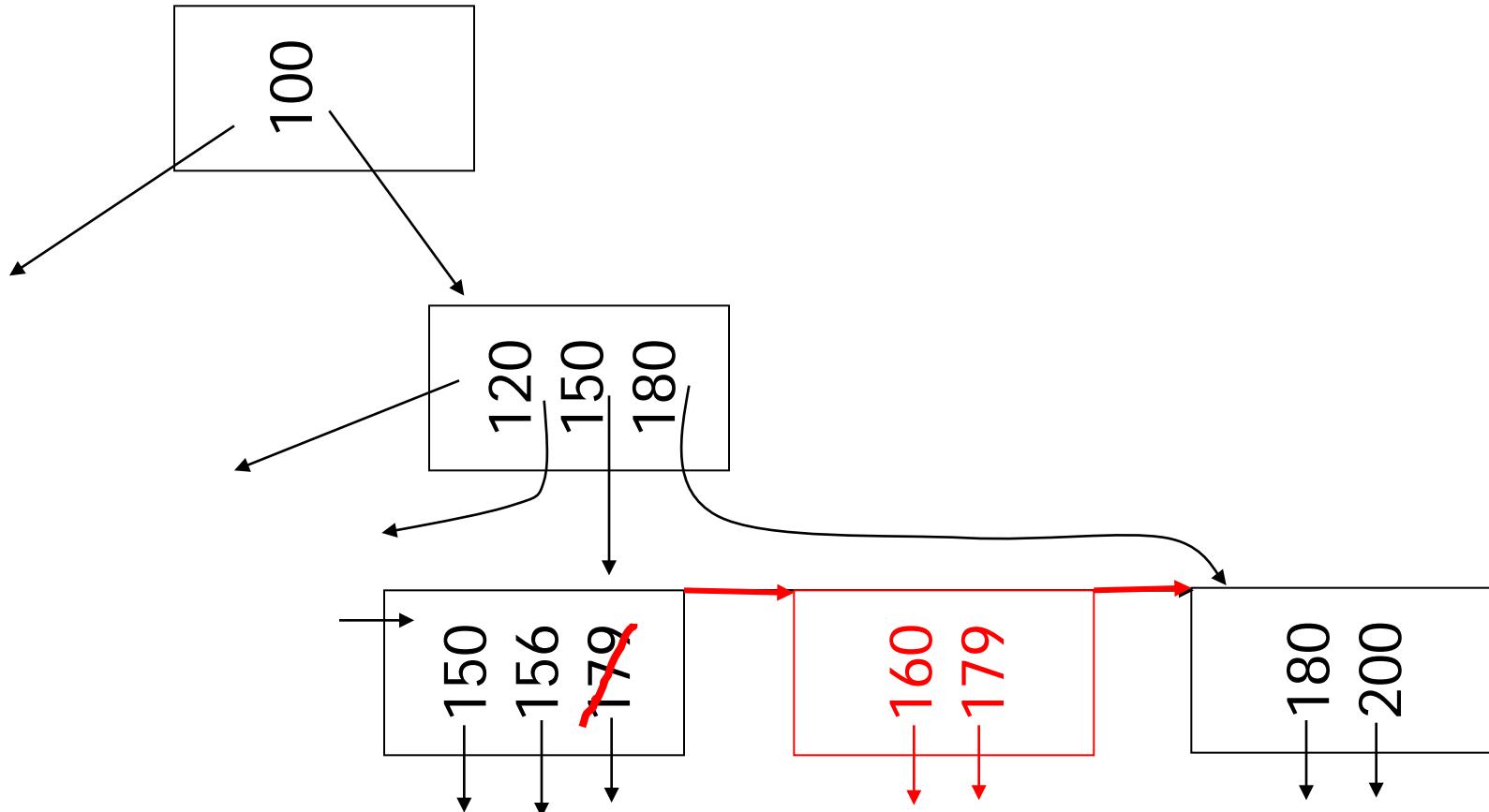
(c) Insert key = 160

n=3



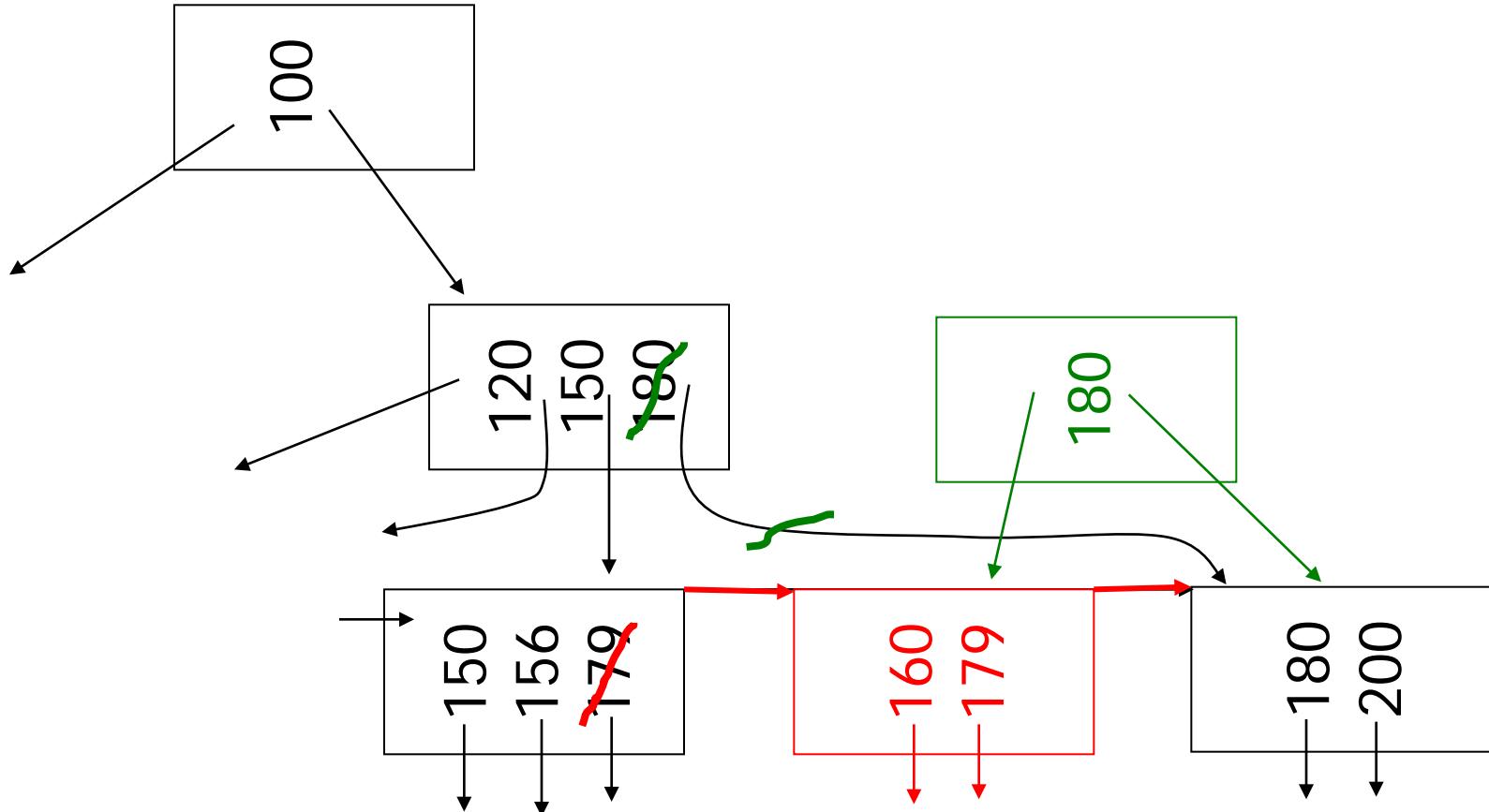
(c) Insert key = 160

n=3



(c) Insert key = 160

$n=3$



(c) Insert key = 160

$n=3$

